



M.E DEGREE EXAMINATIONS: JAN 2015

(Regulation 2014)

First Semester

POWER ELECTRONICS AND DRIVES

P14PET101 : Advanced Control Theory

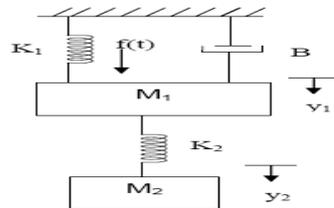
Time: Three Hours

Maximum Marks: 100

Answer all the Questions:-

PART A (10 x 1 = 10 Marks)

- Assertion(A) : Sampling frequency must be at least twice the highest frequency of signal. [K₁]
Reason(R):A corollary to aliasing problem is sampling theorem
a) A and R are true but not related b) A and R are true and related
c) A is true and R is false d) R is false and A is false
- A device of ____ bit resolution has 2ⁿ quantization level. [K₂]
a) N+1 b) N-1
c) N d) 2N
- The output matrix of the given system is [K₂]



- a) $\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$ b) $\begin{bmatrix} 0 & 0 \\ 0 & 1 \end{bmatrix}$ c) $\begin{bmatrix} 1 & 0 \\ 0 & 0 \end{bmatrix}$ d) $\begin{bmatrix} 1 & 1 \\ 1 & 1 \end{bmatrix}$

- If the system equation is $y(k+2)+5y(k+1)+6y(k)=u(k)$ then the system transfer function is [K₃]
a) $1/(Z+1)(Z+2)$ b) $1/(Z+2)(Z+2)$
c) $1/(Z+3)(Z+2)$ d) $1/(Z+3)(Z+1)$
- Arrange the given operation in correct sequence for the design of state feedback. A) finding actual characteristic equation B) finding the gain matrix C) Finding the desired characteristic equation D) Finding complete controllability of the system [K₂]
a) D -B-A-C b) D-A-B-C
c) B-D-A-C d) D-B-C-A

PART C (6 x 5 = 30 Marks)

21. Test the stability using jury stability criterion. [K₃]
 $Z^5 + 0.2Z^4 + Z^3 + 0.5Z^2 - 0.1 = 0$.
22. For the system with $A = \begin{pmatrix} 0 & 1 \\ 0 & -1 \end{pmatrix}$ $B = \begin{pmatrix} 0 \\ 1 \end{pmatrix}$ $C = (1 \ 0)$ find the system Transfer function. [K₂]
23. Test the controllability of the system with $A = \begin{bmatrix} 0 & 0 & 1 \\ -2 & -3 & 0 \\ 0 & 2 & -3 \end{bmatrix}$ and $C = [1 \ 0 \ 0]$ using Kalman's Test. [K₃]
24. Derive the value α (alpha) and β (Beta) for the system with saturation+dead zone. [K₃]
25. Explain the Model Reference adaptive system. [K₁]
26. Design the state regulator of the system $A = \begin{bmatrix} 0 & 1 \\ 0 & 0 \end{bmatrix}$ and $B = \begin{bmatrix} 0 \\ 1 \end{bmatrix}$ with closed loop poles are placed at $-4 \pm j4$. [K₃]

PART D (4 x 10 = 40 Marks)

27. Construct state space representation of the given system using
 i)Phase variable form ii)canonical variable form [K₃]
- $$\frac{Y(s)}{U(s)} = \frac{10(s+4)}{s(s+1)(s+3)}$$
28. For a system with $G(z) = Y(z)/R(z) = 1/(z-0.5)(z+0.3)$ [K₂]
 $r(k) = 1, k \text{ even}$
 $= 0, k \text{ odd}$
 Find $y(k)$.
29. Test the Observability of the given system using Gilberts test and Kalman's test . [K₂]

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \\ \dot{x}_3 \end{bmatrix} = \begin{bmatrix} 0 & 0 & 1 \\ -2 & -3 & 0 \\ 0 & 2 & -3 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} + \begin{bmatrix} 0 \\ 2 \\ 0 \end{bmatrix} u$$

$$y = [1 \quad 0 \quad 0] \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix}$$

30. Derive the describing function of Dead zone Nonlinearity

[K₂]
