

PART B (10 x 2 = 20 Marks)

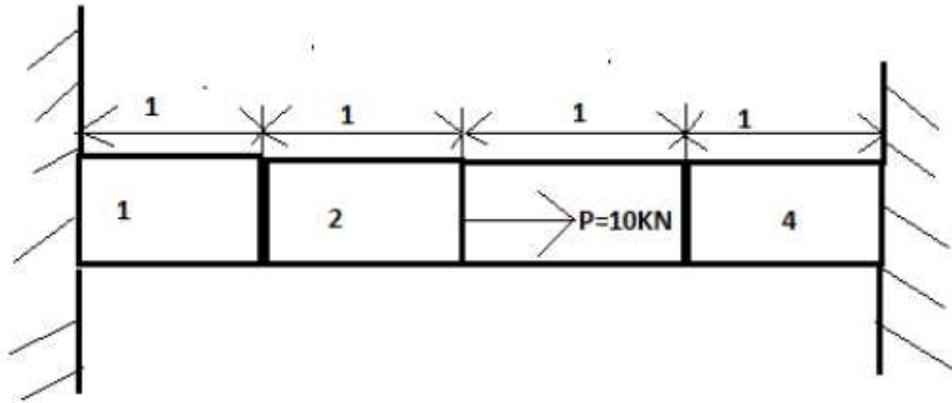
11. Differentiate bar element and beam element. [K₂]
12. Define degrees of freedom [K₁]
13. Draw the LST element and define. [K₄]
14. Distinguish plane stress and plane strain analysis with suitable examples. [K₂]
15. List the types of non-linearity. [K₁]
16. Draw any two axi symmetric element. [K₄]
17. Write down the general element stiffness matrix equation for isoparametric quadrilateral element. [K₁]
18. Differentiate between super parametric and sub parametric element. [K₂]
19. Write down the characteristic equation for free vibration. [K₁]
20. How mass matrix differs from the stiffness matrix? [K₂]

PART C (6 x 5 = 30 Marks)

21. Explain the FEM step by step procedure [K₂]
22. Determine the shape function of bilinear rectangular element using natural coordinate system. [K₄]
23. List the properties of stiffness matrix. [K₁]
24. Explain the concept of static condensation with a diagram [K₂]
25. List the advantages of Gaussian 'quadrature' numerical integration for isoparametric elements. [K₁]
26. Differentiate between static and dynamic analysis with examples. [K₂]

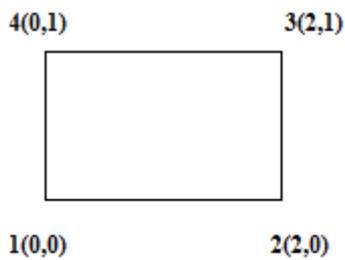
PART D (4 x 10 = 40 Marks)

27. Determine the nodal displacement of each bar structure shown below taking [K₃]
K₁=20 kN/m
K₂=10 kN/m
K₃=15 kN/m
K₄=20 kN/m



28. For a long cylinder of inside diameter 80mm and outside diameter 120mm snugly fits in a hole over its full length. The cylinder is subjected to an internal pressure of 5 MPa. Using two element model over a length of 10mm, evaluate nodal displacement s . Take $E = 200\text{ GPa}$ and $\nu = 0.3$. [K₃]

29. A four noded rectangular element is shown in figure. Determine the following: [K₃]
 (i) Jacobian matrix
 (ii) Strain Displacement matrix



Take $E = 2 \times 10^5\text{ N/mm}$; $\nu = 0.25$:

$\epsilon = 0$; $\eta = 0$

$u = [0, 0, 0.003, 0.004, 0.006, 0.004, 0, 0]^T$

Assume plane stress condition.

30. Formulate the element stiffness matrix and mass matrix for a rod under free axial vibration. [K₆]
