

PART B (10 x 2 = 20 Marks)

11. State sampling theorem. CO1 [K₂]
12. Describe unit impulse sequence and delayed unit step sequence for discrete system. CO1 [K₂]
13. Find the system transfer function if the system equation is
 $y(k+2)+5y(k+1)+6y(k)=u(k)$. CO2 [K₃]
14. Find the output matrix of the system equation $\ddot{y} + y = 10u$ CO2 [K₃]
15. Verify the controllability of the system with $A=\begin{bmatrix} 1 & -3 \\ 2 & 4 \end{bmatrix}$ and $B=\begin{bmatrix} 1 \\ 1 \end{bmatrix}$ CO2 [K₃]
16. State Cayley Hamilton Theorem. CO2 [K₂]
17. Draw the output for hysteresis nonlinearity with sinusoidal input. CO3 [K₁]
18. What is meant by full order observer? CO3 [K₂]
19. State Lyapunov functions for linear systems. CO2 [K₂]
20. What are the types of non linearities? CO3 [K₂]

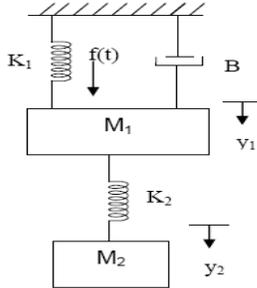
PART C (6 x 5 = 30 Marks)

21. Test the stability using Jury's stability criterion.
 $Z^5+2.6Z^4-0.56Z^3-2.05Z^2+0.0775Z+0.35=0$ CO1 [K₃]
22. A linear time invariant system is characterized by homogenous state equation
 $\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ 1 & 1 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix}$ compute the solution of the equation assuming initial state
vector $x_0 = \begin{bmatrix} 1 \\ 1 \end{bmatrix}$. CO2 [K₂]
23. Find the impulse response $y(k)$ for the system transfer function
 $G(Z) = \frac{0.05Z}{(Z-0.95)}$ CO1 [K₃]
24. Check the observability of the system with $A = \begin{bmatrix} 0 & 0 & 1 \\ -2 & -3 & 0 \\ 0 & 2 & -3 \end{bmatrix}$ and $C = [1 \ 0 \ 0]$ CO2 [K₃]
using Kalman's Test.
25. Explain the concept of Non – linear system with dead zone and hysteresis. CO3 [K₃]

26. What is limit cycle? How to find the stability of limit cycle? CO3 [K₂]

**Answer any FOUR Questions
PART D (4 x 10 = 40 Marks)**

27. Construct the state model of the given system . CO2 [K₃]



28. Construct Jordan canonical form of the system CO2 [K₄]

$$G(s) = (s+3) / (s+2)^2(s+5)$$

29. Design a state feedback controller for the system CO2 [K₄]

$$A = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -6 & -11 & -6 \end{bmatrix}, B = \begin{pmatrix} 0 \\ 0 \\ 1 \end{pmatrix} \text{ and } C = [1 \ 0 \ 0]$$

for the desired eigen values of - $2+j3.464, -2-j3.464, -5$.

30. Derive the describing function of saturation. CO3 [K₃]

31. What is Model Reference adaptive system? Explain with neat diagram. CO1 [K₂]
