



M.E DEGREE EXAMINATIONS: JUNE 2017

(Regulation 2015)

Second Semester

POWER ELECTRONICS AND DRIVES

P15PET203 : Advanced Control Theory

COURSE OUTCOMES

- CO1:** Develop transfer function model for discrete time system, find the stability of the discrete time systems.
CO2: Exposed to analyze the system and find the state space model of any given systems.
CO3: Analyze the stability of non – linear systems.

Time: Three Hours

Maximum Marks: 100

Answer all the Questions:-

PART A (10 x 1 = 10 Marks)

1. Assertion(A) : Sampling frequency must be at least twice the highest frequency of CO1 [K₂]
signal.

Reason(R): A corollary to aliasing problem is sampling theorem.

- a) A and R are true but not related b) A and R are true and related
c) A is true and R is false d) R is false and A is false

2. Arrange the following in the operation of Analog to digital converter 1) Quantization CO1 [K₂]

2) Encoding 3) Sampling 4) Digital words

- a) 3, 1, 4, 2 b) 3, 1, 2, 4
c) 4, 2, 1, 3 d) 4, 2, 3, 1

3. Match the following CO2 [K₂]

1.Transfer function model : A. Getting solution of equation with higher order is not difficult.

2. State variable model : B. Even for system with initial values

3.Advantage with state variable model : C.Only for relaxed system

- a) 1-B,2-C,3-A b) 1-A,2-C,3-B
c) 1-C,2-A,3-B d) 1-B,2-A,3-C

4. Match the following CO2 [K₂]

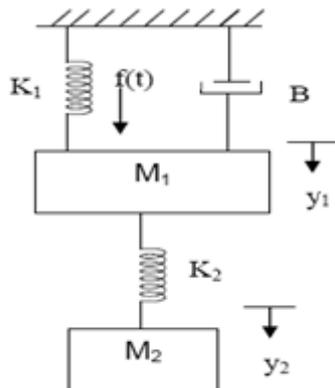
State variable representation	Purpose
A. Phase variable representation	i. System matrix is the diagonal matrix

PART B (10 x 2 = 20 Marks)

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|--|-----|-------------------|
| 11. Define unit impulse sequence and delayed unit impulse sequence for discrete system. | CO1 | [K ₂] |
| 12. Derive the transfer function model of unit delayer. | CO1 | [K ₂] |
| 13. Write the system matrix for the system $G(s) = (s+3)/(s^3+4s^2+3s)$. | CO2 | [K ₃] |
| 14. Find Eigen values for the matrix $A = \begin{bmatrix} 1 & 0 \\ 3 & 2 \end{bmatrix}$. | CO2 | [K ₃] |
| 15. State Cayley Hamilton Theorem. | CO2 | [K ₂] |
| 16. Write the desired characteristic equation of closed loop poles at -5,-5 in the state regulator design. | CO2 | [K ₃] |
| 17. What is meant by full order observer? | CO2 | [K ₂] |
| 18. Draw the output for relay with deadzone and hysteresis nonlinearity with sinusoidal input. | CO3 | [K ₂] |
| 19. What is limit cycle in non linear system? | CO3 | [K ₂] |
| 20. State Lyapunov stability theorem. | CO1 | [K ₂] |

PART C (6 x 5 = 30 Marks)

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|---|-----|-------------------|
| 21. Test the stability using jury stability criterion.
$Z^5+0.2Z^4+Z^2+0.5Z-0.1=0$. | CO1 | [K ₃] |
| 22. Construct the state model of the given system | CO2 | [K ₃] |



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|--|-----|-------------------|
| 23. Verify the controllability on the system with $A = \begin{bmatrix} 0 & 0 & 1 \\ -2 & -3 & 0 \\ 0 & 2 & -3 \end{bmatrix}$ and $B = \begin{bmatrix} 0 \\ 2 \\ 0 \end{bmatrix}$. | CO2 | [K ₃] |
| 24. Design a state regulator using Ackermann's formulae for the given model
$\dot{X} = \begin{bmatrix} 0 & 1 \\ 0 & 0 \end{bmatrix} X + \begin{bmatrix} 0 \\ 1 \end{bmatrix} U$ for given closed loop poles are placed at $-4 \pm j4$. | CO2 | [K ₂] |
| 25. How to find the stability of non linear system using Nyquist stability criterion? | CO3 | [K ₂] |
| 26. What is Modal Reference Adaptive system? Explain. | CO3 | [K ₂] |

Answer any FOUR Questions

PART D (4 x 10 = 40 Marks)

27. $y(k + 2) - 1.3679y(k + 1) + 0.3679y(k) = 0.3679r(k + 1) + 0.2642r(k)$ CO1 [K₄]

$y(k)=0$ for $k \leq 0$ and $r(k)=0$ for $k < 0$,

$r(0)=1, r(1)=0.2142, r(2)=-0.2142$,

$r(k)=0, k=3,4,5, \dots$

Find $y(k)$.

28. Construct Jordan canonical form of the system $G(s) = 5 / (s+1)^2(s+2)$. CO2 [K₃]

29. Compute the solution of homogeneous equation assuming initial state vector CO2 [K₄]

$X_0 = \begin{bmatrix} 0 \\ 1 \end{bmatrix}$ and state equation $\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ 1 & 1 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix}$

30. Convert the given model to canonical state model. CO2 [K₃]

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \\ \dot{x}_3 \end{bmatrix} = \begin{bmatrix} 1 & 0 & 2 \\ -1 & 1 & 1 \\ 0 & 3 & -1 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} + \begin{bmatrix} 1 \\ 1 \\ 0 \end{bmatrix} u$$

$$y = \begin{bmatrix} 1 & 0 & 1 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix}$$

31. Derive the describing function for Dead zone non linearity. CO3 [K₃]
