

Planning and Designing of Bypass Road For Coimbatore City

A Project Report

Submitted by

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Department of Civil Engineering

Kumaraguru College of Technology

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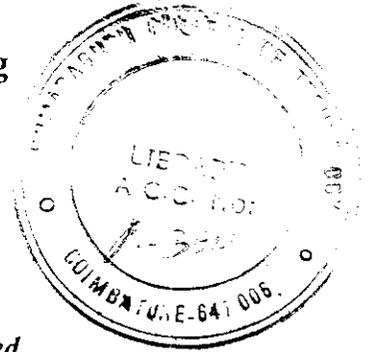
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Kumaraguru College of Technology

Coimbatore - 641 006.

Department of Civil Engineering

Certificate



This is to Certify that this Project Entitled

PLANNING AND DESIGNING OF BYPASS ROAD FOR COIMBATORE CITY

has been submitted by

Mr.

in partial fulfilment of the requirements for the award of Degree of Bachelor of Engineering in the Civil Engineering of the Bharathiar University, Coimbatore - 641 046

during the academic year 1998-99

Pravin
15/3/99
(Guide)

[Signature]
(Head of Department)

Certified that the Candidate was Examined by us in the Project Work.

Viva-Voce Examination held on 15/3/99

University Register Number _____

(Internal Examiner)

(External Examiner)

*Dedicated to Our
Beloved Parents*

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Contents

CONTENTS

SYNOPSIS

1. INTRODUCTION
 - 1.1 GENERAL
 - 1.2 NEED FOR THE STUDY
 - 1.3 OBJECTIVES
 - 1.4 METHODOLOGY
 - 1.5 SITE SELECTION CRITERIA
2. GEOMETRIC DESIGN AND PAVEMENT LAYERS
 - 2.1 HIGHWAY CLASSIFICATION
 - 2.2 CROSS-SECTIONAL ELEMENTS
 - 2.3 SHOULDERS AND CAMBER
 - 2.4 TYPICAL CROSS SECTIONS
 - 2.5 PAVEMENT LAYERS AND ITS FUNCTION
3. DESIGN
 - 3.1 DESIGN OF CURVE
 - 3.2 DESIGN OF BRIDGE.
4. QUALITY CONTROL TESTS
 - 4.1 SIEVE ANALYSIS REPORT
 - 4.2 PROCTOR DENSITY TEST
 - 4.3 CALIFORNIA BEARING RATIO TEST
 - 4.4 PLASTICITY INDEX TEST
5. DRAWINGS
6. RECOMMENDATION
7. CONCLUSION
8. BIBLIOGRAPHY

Synopsis

SYNOPSIS

The development of a more energy-efficient and less environmentally damaging road transport system is an urgent policy goal for most world economies. The increase in number of intersections leads to travel delays, environmental, safety degradation and the energy losses. The development of Coimbatore in various fields has resulted in a heavy congestion of traffic. At present Coimbatore City traffic is facing problems of road congestion, air pollution, accidents and wastage of fuel. Therefore moving in and around Coimbatore City becomes a problem for the road users.

So as a remedial measure it becomes necessary to provide a bypass road for Coimbatore NH-47 to decrease the Lorry traffic inside the city. Therefore it is necessary to provide a bypass for Coimbatore city, a stretch of road 27.76Km long, skirting Coimbatore on NH-47 between Salem and Palghat which connects other major roads like Pollachi road, Trichy road etc.,

This project deals with planning and designing of a by pass road with various features like design of curves, bridges and the quality control tests.

Introduction

1. INTRODUCTION

1.1 GENERAL

COIMBATORE - Cotton City, it is one of the third largest city in Tamilnadu next to Chennai and Madurai. The population of the city increases because of its industrial and educational development. The city is in its dynamic state of growth and it is expecting strides in industrial development. Since the standard of living is high, it plays a significant role in the development of the country and the state. The city has been bringing a worthy amount of foreign exchange by its exports of Textile Machinery's, Motors, Pumps, Garments, Handloom products, etc.,

1.2 NEED FOR THE STUDY

The phenomenal growth of industry, trade combined with heavy inflow of public as well as vehicles from other parts of the state, the Coimbatore city has resulted in a lot of traffic and transportation problems, particularly at Gandipuram and Ukkadam zone- the nerve centers of the cotton city. Due to the increase in population of the Coimbatore City, we require a safety and less time consuming route.

Hence Town Planning Department takes a categorywise vehicular traffic volume at different stations. From table 1.2.1 it was found that the lorry traffic through Avinashi, Pollachi and Palghat road is more when compared to other road.

Therefore in order to reduce the lorry traffic coming inside the City, we need a Bypass for Coimbatore NH-47.

TABLE 1.2.1

CATEGORYWISE VEHICULAR TRAFFIC VOLUME AT CORDON STATIONS

CORDON OUTER AND INNER	CATEGORY OF VEHICLES(IN NUMBERS)										TOTAL
	BUS	LORRY	LCV	CAR	AUTO	TW	CYCLE	C.R	CART		
METUPPALAYAM ROAD	1140	1148	304	1676	85	1954	1680	5	55		8047
SATHY ROAD	384	565	196	435	17	706	866	13	37		3219
AVINASHI ROAD	1523	3815	943	3068	45	1709	817	0	24		11944
TRICHY ROAD	814	1512	665	1617	55	1311	775	0	42		6791
PODANUR- CHETIPALAYAM ROAD	136	250	66	133	17	352	284	3	54		1259
POLLACHI ROAD	972	780	308	1154	16	855	457	3	20		4565
PALGHAT ROAD	611	2674	421	1306	8	929	468	10	35		6462
SIRUVANI ROAD	341	288	151	472	85	1040	719	11	70		3177
THONDAMUTUR ROAD	208	180	141	260	33	1007	916	10	71		2826
MARUDAMALAI ROAD	264	29	15	393	35	895	505	0	45		2181
THADAGAM ROAD	138	533	51	263	63	684	534	1	91		2358

INNER CORDON

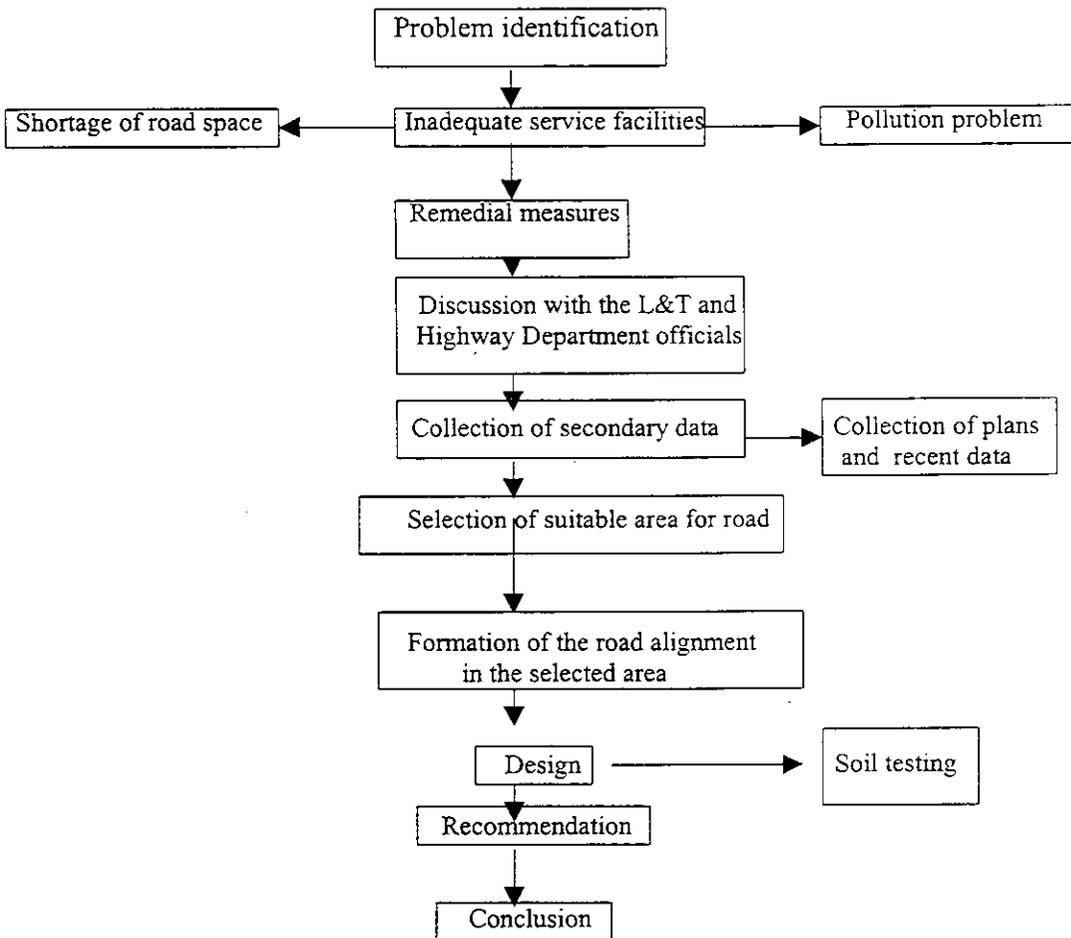
METTUPALAYAM ROAD	1833	1674	570	3305	488	5421	5399	13	167		18870
SATHY ROAD	698	408	272	720	175	2716	3174	7	180		8350
VILANKURICHI ROAD	108	97	67	168	47	1051	1057	0	26		2621
AVINASHI ROAD	1774	3730	989	4501	354	5640	3133	17	92		20230
TIRCHY ROAD	1411	1870	774	1943	145	2984	2376	4	131		11638
NANJUNDAPURA M RD	66	431	168	514	151	1843	2189	4	56		5422
PALGHAT ROAD	3997	6094	1609	5327	1633	9754	9368	8	653		38443
PERUR ROAD	933	333	395	846	461	2732	2416	27	295		8438
MARUDAMALAI ROAD	653	479	338	2444	913	9851	9787	14	183		24662
THADAGAM ROAD	469	731	191	1491	375	5034	5897	8	215		14411
THONDAMUTHUR RD	188	105	107	330	156	1584	2034	3	82		4589

SOURCE: COMPREHENSIVE TRAFFIC AND TRANSPORTATION STUDY FOR COIMBATORE.

1.3 OBJECTIVES

- To relieve the traffic congestion inside the Coimbatore City, by diverting the through traffic.
- Road accidents occur in direct proportion to the amount of traffic on the roads and hence it should be minimised.
- To reduce the journey time and thus we can save the wear and tear of the vehicles.
- To achieve a better fuel efficiency in reducing the travel distance.
- To avoid the pollution inside the city.

1.4 METHODOLOGY



1.5 SITE SELECTION CRITERIA

From the traffic data available, the site for the proposed bypass road has the following salient features:

- The proposed site connects other major roads like Pollachi, Trichy etc.,
- A reduction in running time is noticeable with the advantage of reducing Lorry traffic inside the city makes the site highly suitable for the proposal.
- The material used for the construction work is available near by the site, which satisfies the need
- This route comprises less agricultural lands when compared to the other routes selected for this project.

ABOUT THIS PROJECT:

The Bypass takes from Km 141.200 on NH-47 Neelambur and ends at 171.200 Km near Madukkarai. The Bypass will intersect SH-8 and SH-10 at Km 20.500 & 7.102 on its alignment (REFER FIG 1.20). It goes over Broad gauge tracks at Km 22.360 and crosses Meter gauge track at Km 10.960. It also includes one Major Bridge over Noyyal, Minor Bridges, Hume Pipe Culverts and Box Culverts.

The Bypass is divided into four stretches. In this study 0.000 Km which starts Chainage at Madukkarai end.

TABLE NO.: 1.5.1

STRECHES	CHAINAGE
1.	0.000 Km to 7.00 Km
2.	7.000 Km to 14.00 Km
3.	14.00 Km to 20.78 Km
4.	20.78 Km to 27.76 Km

TOURISM

- TRANSPORT**
- National Highways (with number)
 - - - Other Roads
 - Railway Lines
 - ✕ Seaport
- TOURISM**
- ◆ Archaeological Site
 - Historical Site
 - Religious Centre
 - ▲ Hill Station
 - ★ Holiday Resort
 - ✱ Wildlife Sanctuary
 - ✱ Beach
 - ✱ Lake/Reservoir
- LOCATIONS**
- State Headquarters
 - Tourist Centre
 - Other Towns
 - ◆ District Headquarters (outside Tamil Nadu)

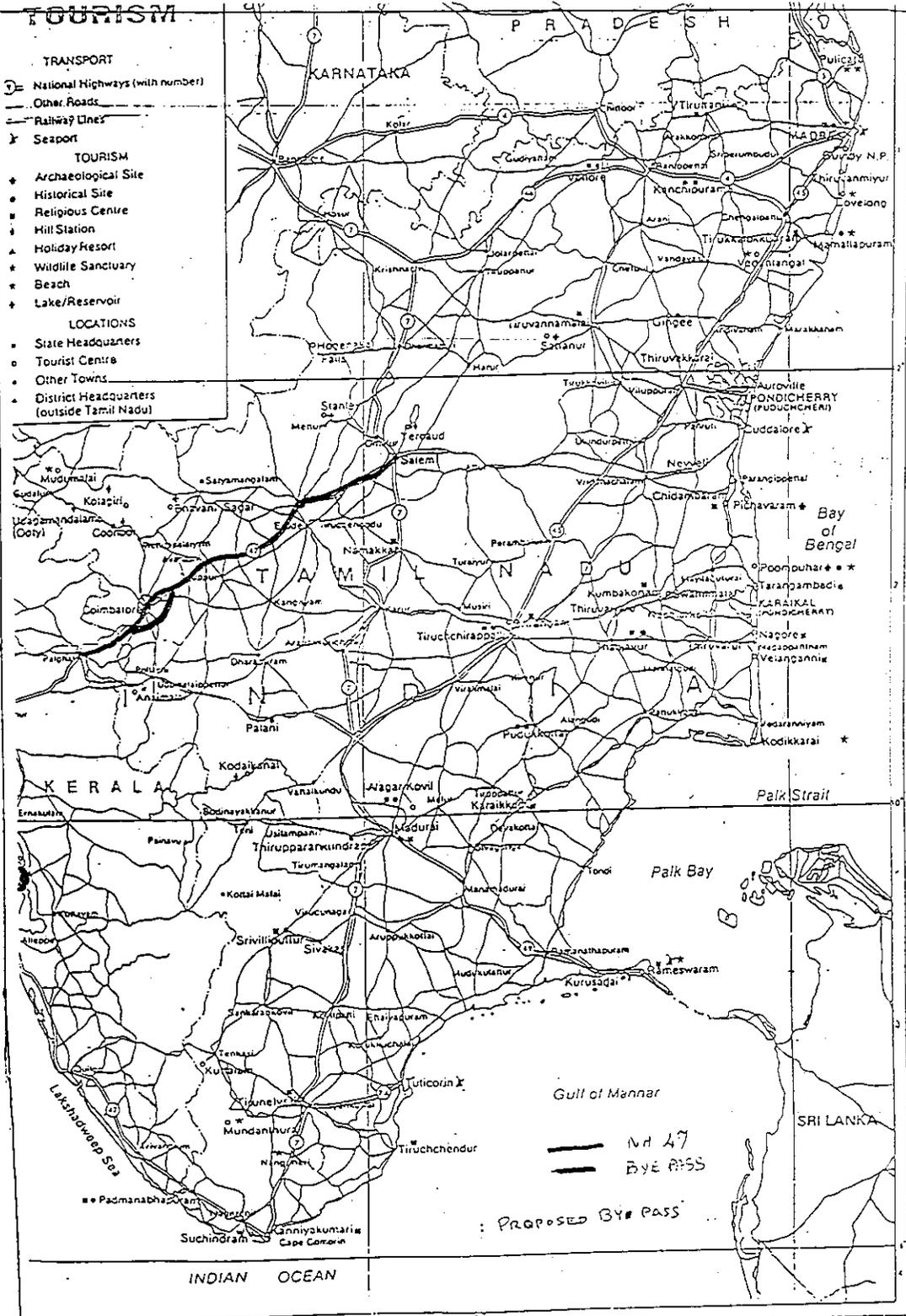
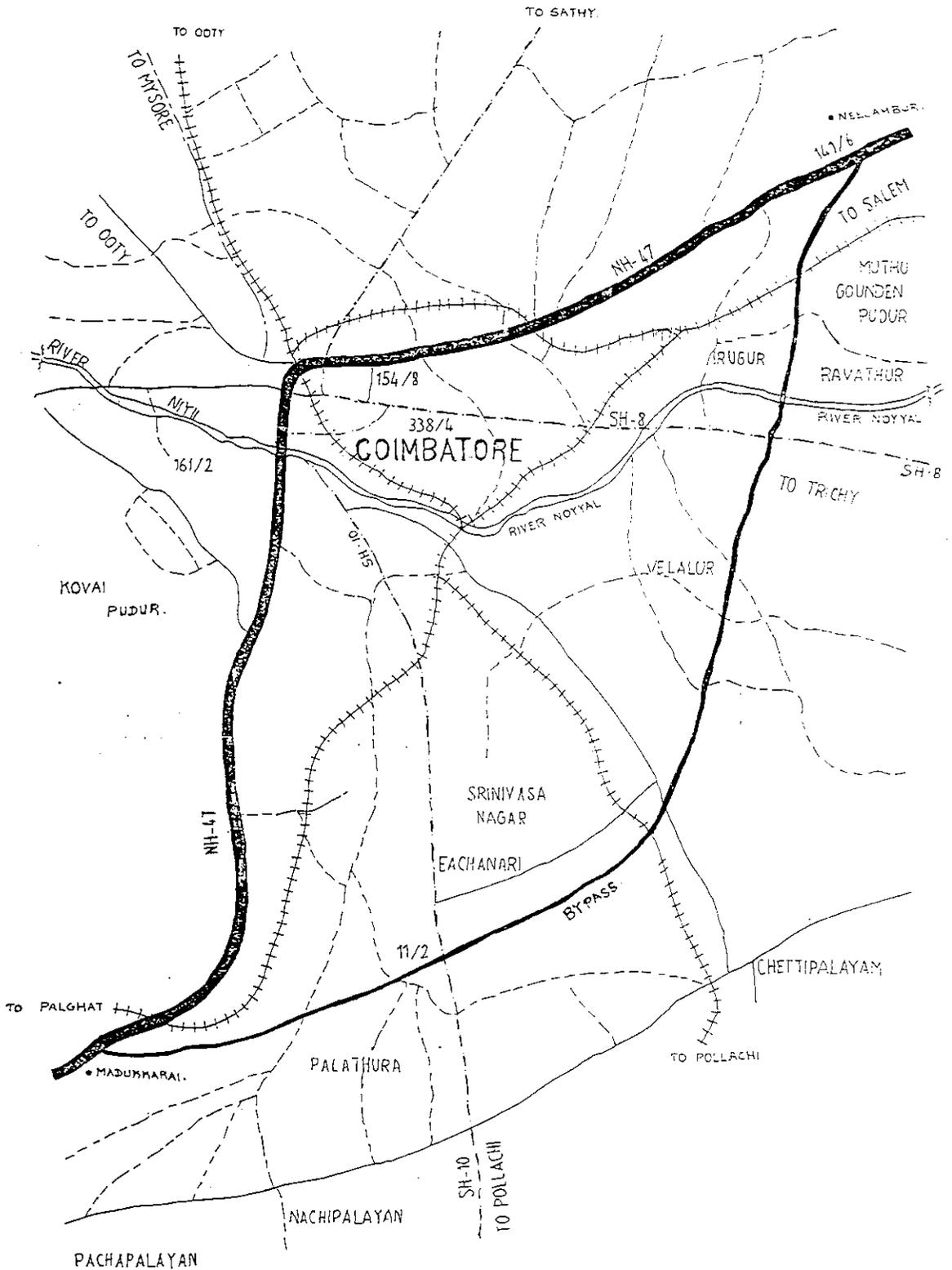


FIG No-1-10



Geometric Design and Pavement Layers

2. GEOMETRIC DESIGN

INTRODUCTION:

Geometric design is an aspect of highway design dealing with the visible dimensions of a roadway. The safe, efficient and economic operation of a highway is governed to a large extent by the care with which the geometric design has been worked out.

2.1 HIGHWAY CLASSIFICATION:

The highway system is generally classified into various distinct groups. The highways are basically of two types namely urban and rural (non-urban). The Urban system is classified into Expressways, arterial and sub-arterial, collector and local streets. Rural roads classified into National Highways, State Highways, district and village roads.

National highways are the main highways running through the length and breadth of the Indian territory, connecting ports, capitals of states and including roads of strategic and military importance.

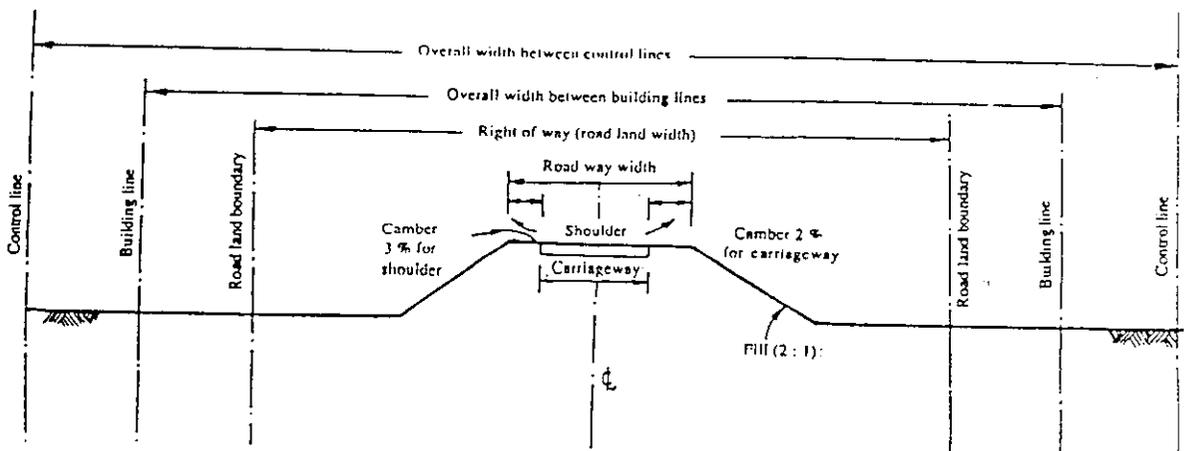
*SURVEYS: Survey helps to collect the data and information based on spot and field observations. The basic data to be collected (1)the present land use (2)population growth (3)traffic system (4)industrial position (5) economic base. All the secondary data for the study has been collected from authorities regarding the road.

(a). Topography : Topography and physical features play an important role in the location and design of Highway. The classification of terrain is normally done by means of the cross slope of the country. According to the available cross slope, the terrain classified as a rolling terrain since the slope is 10 to 25 %.

(b). Speed: The value of highway is largely indicated by the speed, safety and convenience afforded by the facility for travel. Design speed is the maximum safe speed that can be maintained over a specified section of highway when conditions are so favorable that the design features of highway govern.

From IRC specifications for a NH (rolling terrain), Ruling/maximum design speed is 100 K.P.H.

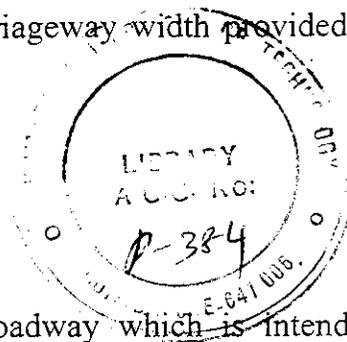
2.2 CROSS SECTIONAL ELEMENTS: The c/s elements in highway design pertain to those features which deal with its width. They embrace aspects such as right-of-way width, roadway width, shoulders, camber etc.,



(a)Right-of-way : It is the width of land secured and preserved to the public for road purposes.According to the IRC specifications for NH(plain terrain) Right-of-way width provided is about 45 meters.

(b)Roadway width: From current Indian practice,the width of roadway provided for (plain terrain) two lane NH is 12.0 meters.

(c).CARRIAGEWAY WIDTH : The width of traffic lane governs the safety and convenience of traffic and has a profound influence on the capacity of road. In India for two lane pavements carriageway width provided is 7.0 meters wide.



2.3 SHOULDERS:

The shoulder is the portion of the roadway which is intended for accommodation of stopped vehicles, emergency use and lateral support of base and surface courses. Current Indian practice for 2-lane roads suggests a shoulder width of 2.5 meters for rural roads.

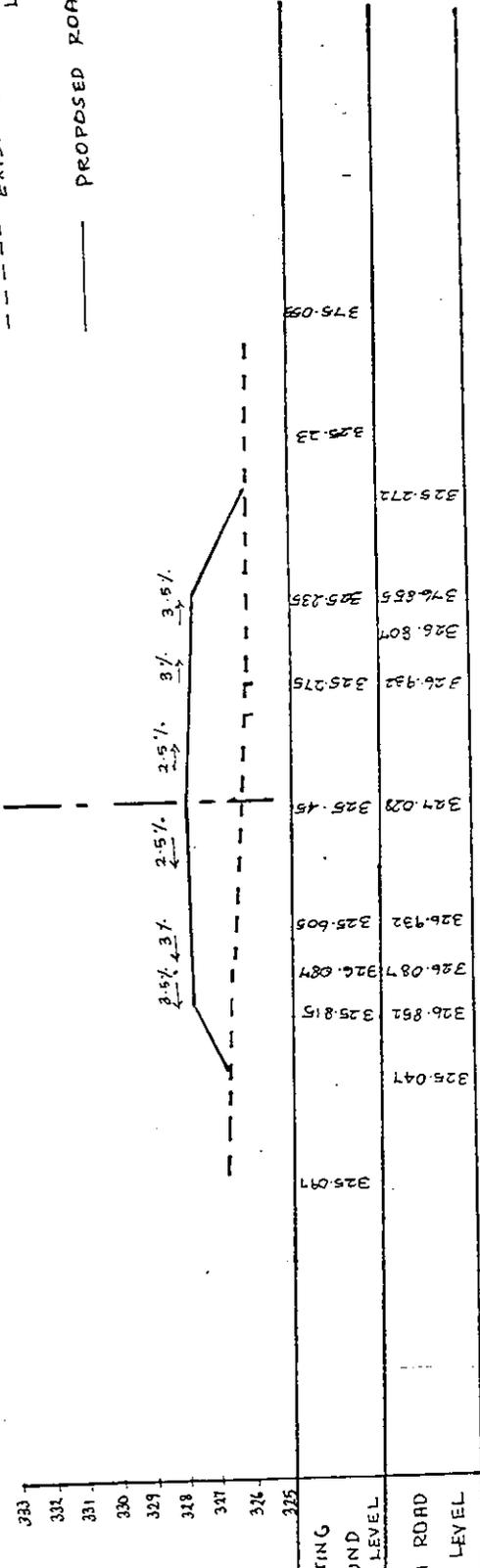
CAMBER: Camber also known as cross slope, facilitates drainage of the rainwater on the pavement laterally. The amount of camber to be provided depends upon the smoothness of the surface and the intensity of rainfall. Camber prescribed by IRC for Thin bituminous surfacing is 2.0 to 2.5 %.

2.4 TYPICAL CROSS SECTION OF THE ROADWAY:

Typical cross section of the 2-lane national highway (L/S and C/S) is as shown below.

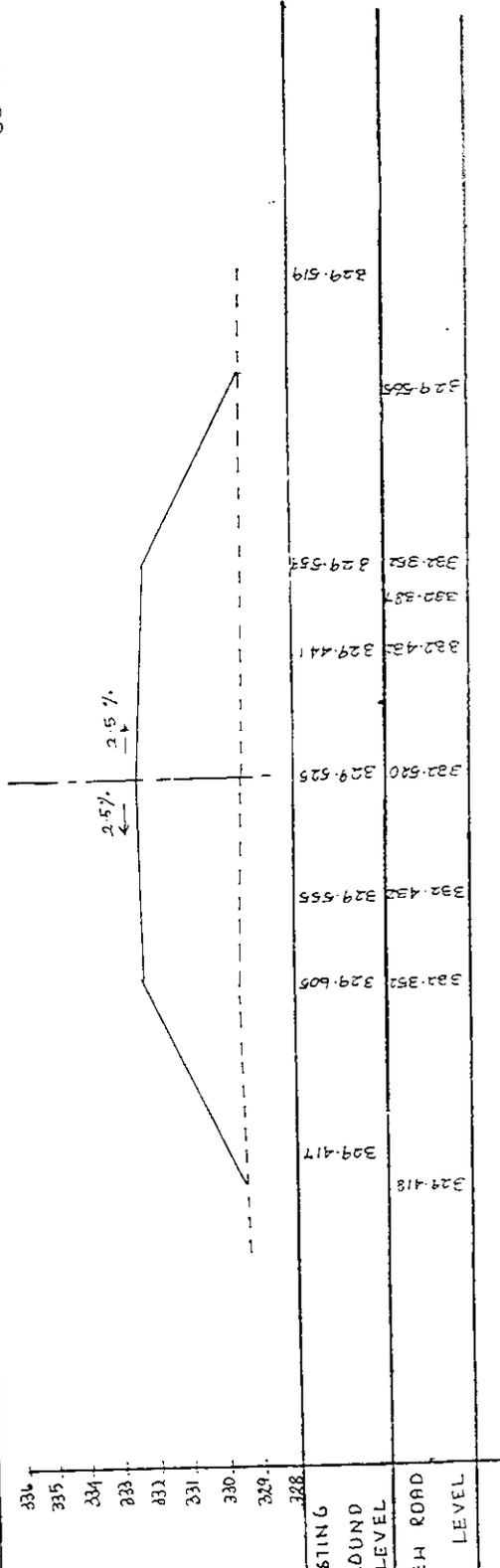
--- EXISTING GROUND LEVEL

— PROPOSED ROAD LEVEL



CS AT KM 2.000

SCALE 1:200



C.S AT KM 2.500

--- EXISTING GROUND LEVEL
 --- PROPOSED ROAD LEVEL

334
 338
 331
 336
 335
 334
 333
 332

2.5%
 2.5%

EXISTING GROUND LEVEL	332.985	333.112	333.505	333.530	333.582	333.676	332.805	332.536	332.810	332.745
PROPOSED ROAD LEVEL										

CS AT KM 3.000

SCALE 1:200

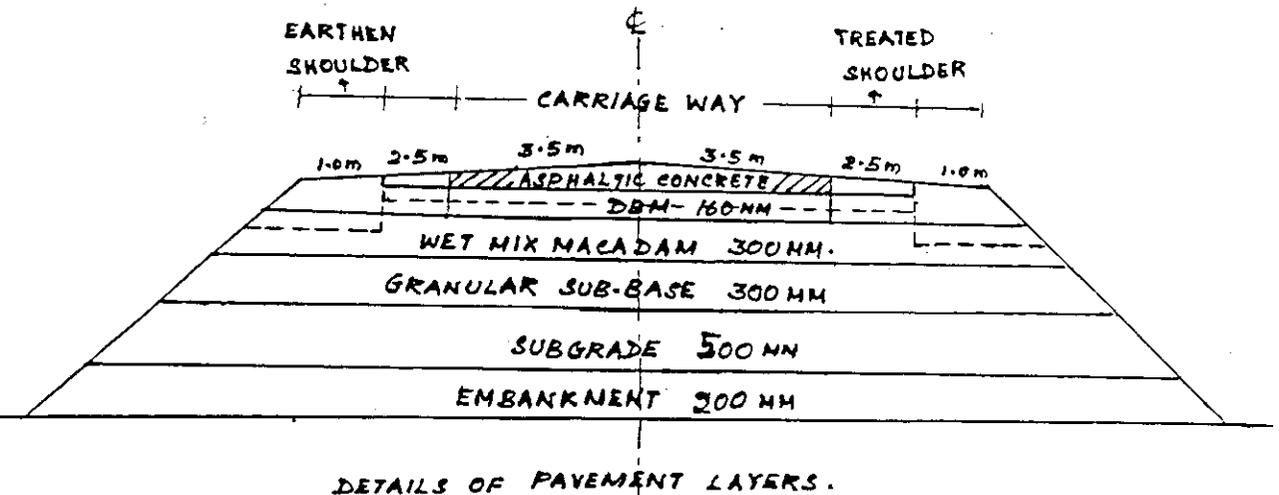
2.5%
 0.4%
 0.4%

EXISTING GROUND LEVEL	335.674	335.525	331.247	331.283	331.325	331.415	331.401	331.395	331.391	335.045	334.475
NEW ROAD LEVEL											

CS AT KM 3.500

2.5 PAVEMENT LAYERS:

A Highway pavement is designed to support the wheel loads imposed on it from traffic moving over it. A Flexible pavement is one which has low flexural strength. Thus the external load is largely transmitted to the subgrade by the lateral distribution with increasing depth.



(1) **EMBANKMENT**: The road pavement directly rests on artificially prepared soil subgrade and thus derives considerable strength from the subgrade. The embankment height is so selected that the bottom of the pavement is at least 0.6 to 1.0 m above the level of water-table or high flood level. The thickness of embankment provided for the proposed road is about 200 mm. The soil which is used in the embankment can be tested for its quality control as described in the next chapter.

(2) **SUBGRADE**: The subgrade is the compacted natural earth immediately below the pavement layers. The top of the subgrade is also known as the formation level. According to IRC specifications the thickness of subgrade layer provided is about 500 mm (fig 100.1 IRC). It can be split into three layers. First layer is of 200 mm thick, second and third layers are of 150 mm thick each. Material used is below 25 mm.

(3)SUB-BASE: Sub-base are the layer constructed above the sub grade of the pavement .The materials shall be laid in one or more layers as sub-base or lower sub-base and upper sub-base(termed as sub-base hereinafter).

a. Granular sub-base: This may be provided in two layers of 150 mm thick each. The material used in the sub-base is according to the IRC specifications. CBR values should be greater than 30 %, tested and the result is given in next chapter. Material used is 40 mm, 20 mm and moorum.

b. Wet mix macadam sub-base: Thickness of WMM is two layers of 150 mm thick each. According to the IRC specifications the thickness of a single compacted layer should not be less than 75mm.The materials used in this layer is like the previous one. Material used is 40 mm, 20 mm, 12 mm and below.

FUNCTIONS OF SUB-BASE LAYER:

- To minimize the damaging effects of frost action .
- To provide additional help to the base and surface courses in distributing the loads.
- To prevent intrusion of fine-grained road-bed soils into base courses.

(4) BASE COURSE: The base is the medium through which the stresses imposed are distributed evenly. This can be laid immediately below the surface course.

1. Dense bitumen macadam: According to the IRC specifications the thickness for a single course should be 50 to 100 mm. Physical requirements of the aggregate can be tested and compared with IRC specifications such as abrasion, aggregate impact value etc. Material used is less than 12 mm.

FUNCTIONS OF BASE COURSE:

- To act as the structural portion of the pavement and thus distributes the load.
- If constructed directly over the sub-grade to prevent intrusion of sub-grade soils into the pavement.

(5) SURFACE COURSE: The topmost layer is the surfacing the purpose of which is to provide a smooth, abrasion resistant, dust proof and strong layer. According to the specifications the thickness of layer provided is about 40 mm thick.

1. ASPHALTIC CONCRETE: Asphaltic concrete is a pavement specification composed of a thoroughly controlled hot-mixed material having as ingredients (1) graded mineral aggregate (3) filler (3) bitumen.

Advantage: Durability, Imperviousness, Load spreading property, Quickly openable to the traffic and Good skid resistance.

Design

3.1 Design of Curve

A regular curve path followed by a railway/ highway alignment is called a curve. It may be either circular, parabolic/ spiral and is always tangential to the two straight direction at its ends.

Transition Curve:

A transition curve or easement curve of varying radius introduced between a straight and a circular curve or between two branches of a compound curve are reverse curve.

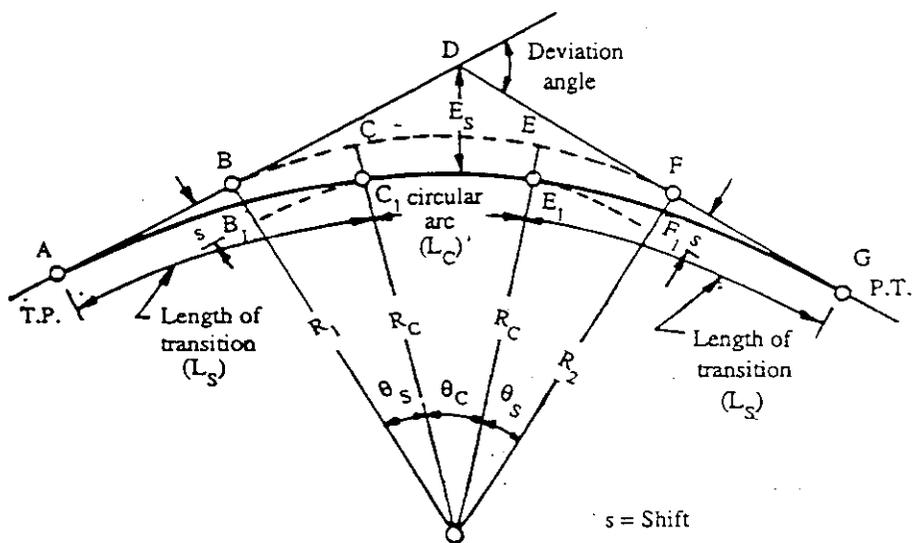
Functions:

1. To provide a medium for the gradual introduction or change of the required super elevation.
2. To accomplish gradually the transition from the tangent to the circular curve, so that the curvature is increased gradually from zero to specified value.

CHAINAGES OF CRITICAL POINTS OF HORIZONTAL CURVES

Project : NH - 47 Coimbatore Bypass Road

Curve No.	Deviation Angle			Type of curve	Chainages				
	°	'	"		BS	BC	AC	EC	ES
1.	17	23	38	RH	0/001.80	0/66.80	0/176.98	0/287.16	0/352.16
2.	42	29	42	LH	3/505.00	3/575.00	3/836.66	4/098.330	4/168.33
3.	15	52	00	LH	19/988.00	20/058.80	20/119.92	20/181.84	20/251.16
4.	20	01	14	LH	21/477.63	21/572.63	21/652.34	21/652.34	21/747.34
5.	40	29	30	RH	25/450.52	25/520.52	25/741.70	25/962.88	26/032.88
6.	12	9	00	RH	27/501.79	27/571.79	27/632.21	27/692.63	27/762.63



Simple curve design

Details :

Radius of circular curve = 800 m

Design speed of vehicle = 100 Km/h.

Change at the intersection pt = 3851.2 m.

Design :

i) Length of the spiral $L_s = \frac{0.0215v^3}{C_R}$

$$C = \frac{80}{75 + V}$$

R = Radius of the circular curve

R = 800 m

V = Velocity = Design speed = 100 Km/h

$$L_s = \frac{0.0215 \times 100^3}{0.457 \times 800} = 58.80 \text{ m}$$

ii) Super elevation $e = \frac{v^2}{22 R}$

$$C = \frac{100^2}{225 \times 800} \times 100$$
$$= 5.56 \%$$

iii) Spiral angle $\theta_s = \frac{L_s \times 180}{2\pi R} = \frac{58.80 \times 180}{2\pi \times 800} = 2^\circ 6' 20.2''$

$$\begin{aligned}
 \text{iv) Deviation angle of circular curve } \Delta_c &= \Delta - 2\phi_s \\
 &= 42^\circ 29' 42'' - 2 \times 2^\circ 6' 20.2'' \\
 &= 38^\circ 17' 15.4''
 \end{aligned}$$

$$\text{v) Tangent distance } (T_s) = \left[(R+S) \frac{\Delta}{2} \right] + \frac{L_s}{2}$$

$$\text{Shift } (s) = \frac{(L_s)^2}{24 R}$$

$$= \frac{(58.80)^2}{24 (800)}$$

$$= 0.180$$

$$\begin{aligned}
 T_s &= (800 + 0.180) \tan \frac{42^\circ 29' 42''}{2} + \frac{58.80}{2} \\
 &= 340.532
 \end{aligned}$$

$$\text{(vi) Length of circular curve } L_c = \frac{\pi R (\Delta - 2\phi)}{180} = 523.33$$

Chainage pts:

$$\text{Chainage at A} = 3505 \text{ m}$$

$$\text{Add length of } A_c = \underline{346.16 \text{ m}}$$

$$\text{Chainage of C} = 3851.16 \text{ m}$$

$$\text{Subtract tangent length C} = 340.532 \text{ m}$$

$$\text{Chainage at } T_1 = 3510.628 \text{ m}$$

$$\text{Add length of curve} = \underline{523.33 \text{ m}}$$

SUPER ELEVATION DETAILS FOR CURVE No.2

Chainage	Finished Road Level	% of Slope	
		Left Camber Width	Right CammberWidth
3.470	331.346	2.500	2.500
3.480	331.369	2.500	1.986
3.490	331.393	2.500	1.191
3.500	331.416	2.500	0.397
3.510	331.439	2.500	-0.397
3.520	331.462	2.500	-1.191
3.530	331.485	2.500	-1.986
3.540	331.508	2.780	-2.780
3.550	331.532	3.574	-3.574
3.560	331.555	4.369	-4.369
3.570	331.578	5.163	-5.163
3.580	331.601	5.560	-5.560
3.590	331.624	5.560	-5.560
3.600	331.647	5.560	-5.560
3.610	331.671	5.560	-5.560
3.620	331.694	5.560	-5.560
3.630	331.717	5.560	-5.560
3.640	331.740	5.560	-5.560
3.650	331.763	5.560	-5.560
3.660	331.786	5.560	-5.560
3.670	331.809	5.560	-5.560
3.680	331.833	5.560	-5.560
3.690	331.856	5.560	-5.560
3.700	331.879	5.560	-5.560
3.710	331.902	5.560	-5.560
3.720	331.925	5.560	-5.560
3.730	331.948	5.560	-5.560
3.740	331.972	5.560	-5.560
3.750	331.995	5.560	-5.560
3.760	332.018	5.560	-5.560
3.770	332.041	5.560	-5.560
3.780	332.064	5.560	-5.560
3.790	332.087	5.560	-5.560
3.800	332.111	5.560	-5.560
3.810	332.134	5.560	-5.560
3.820	332.157	5.560	-5.560
3.830	332.186	5.560	-5.560

SUPER ELEVATION DETAILS FOR CURVE No.2

Chainage	Finished Road Level	% of Slope	
		Left Camber Width	Right CamberWidth
3.850	332.226	5.560	-5.560
3.860	332.250	5.560	-5.560
3.870	332.273	5.560	-5.560
3.880	332.296	5.560	-5.560
3.890	332.319	5.560	--5.560
3.900	332.344	5.560	-5.560
3.910	332.389	5.560	-5.560
3.920	332.456	5.560	-5.560
3.930	332.544	5.560	-5.560
3.940	332.654	5.560	-5.560
3.950	332.785	5.560	-5.560
3.960	332.937	5.560	-5.560
3.970	333.090	5.560	-5.560
3.980	333.243	5.560	-5.560
3.990	333.396	5.560	-5.560
4.000	333.550	5.560	-5.560
4.010	333.703	5.560	-5.560
4.020	333.856	5.560	-5.560
4.030	334.010	5.560	-5.560
4.040	334.163	5.560	-5.560
4.050	334.316	5.560	-5.560
4.060	334.469	5.560	-5.560
4.070	334.623	5.560	-5.560
4.080	334.776	5.560	-5.560
4.090	334.929	5.560	-5.560
4.100	335.083	5.428	-5.428
4.110	335.236	4.633	-4.633
4.120	335.389	3.839	-3.839
4.130	335.567	3.045	-3.045
4.140	335.696	2.500	-2.251
4.150	335.849	2.500	-1.456
4.160	336.002	2.500	-0.662
4.170	336.145	2.500	-0.132
4.180	336.274	2.500	-0.927
4.190	336.390	2.500	-1.721
4.200		2.500	2.500

DESIGN PARAMETERS OF HORIZONTAL CURVES

Curve No.	Type of Curve	Curve Parameters										
		Δ ° ' "	Radius of circular curve	∅ ° ' "	Δc ° ' "	Length of spiral of spiral	Length of circular curve	Tangent distance	Shift	Speed Kmph	% Superelevation	
1.	RH	17 23 38	940	1 58 52	13 25 54	65.0	220.36	176.32	0.187	100	4.73	
2.	LH	42 29 42	800	2 30 25	37 28 52	70.0	523.33	346.16	0.255	100	5.56	
3.	LH	15 52 00	700	2 51 54	10 08 12	70.0	123.84	132.59	0.292	100	6.35	
4.	LH	20 01 14	500	2 26 37	09 08 00	95.0	79.73	135.89	0.752	100	7.00	
5.	RH	40 29 30	725	2 45 58	34 57 34	70.0	442.36	302.50	0.282	100	6.13	
6.	RH	12 09 00	900	2 13 42	07 41 36	70.0	120.84	130.80	0.227	100	4.94	

DESIGN OF BRIDGE

Girder bridge:

Clear width of roadway = 7m

Span centre to centre of bearings = 20m

Live load = class A and class AA

Average thickness of bearing coat = 8cm

Solution :

Three girders are provided at c/c distance of 2.5m. Kerbs 0.6m wide are provided. C/S of the bridge as shown in fig.A. Rib with of 30cm is provided for longitudinal beams. Cross girders are provided at every 5 m to connect longitudinal beams. The breadth of cross girders provided is 30 cm.

Thickness of slab is assumed as 20cm. For interior pannels the thickness of cantilever slab is assumed as 24 cm at junction with rib and 14cm at junction with kerb. The weight of railing is assumed as 70 kg/m.

Cantilever will be designed by effective width method and interior pannels by Pigeaud's theory.

Dimensions of interior pannels are 2.5m x 5m. concrete mix M200 is used for deck slab and M150 for girders.

IMPACT FACTORS for design of slab :

Class AA loading = 25 % ,For class A loading max. impact factor=50.0%

Design of cantilever portion :

DEAD LOAD B.M :

Items	Load / M run kg.	Distance of C.G for the edge of cantilever	Moment kg.M
Parapet	70	1.375	96.25
Kerb	0.44x0.6x1x2400 = 633.6	1.15	728.64
Wearing coat	0.08x0.85x2200 = 149.6	0.425	63.58
Slab rectangular	0.14x0.85x2400 = 285.6	0.425	121.38
Slab triangular	½ x 0.85 x0.10x2400=102	0.283	28.9
	Total load	1240.8 kg	D.L.B.M = 1038.75 kg /m

LIVE LOAD B.M :

Class AA loading :

Minimum clearance of class AA loading from kerb is 1.2m hence, this loading will not come in cantilever portion.

Class A loading ;Average thickness of cantilever slab

$$= \frac{14+24}{2} = 19\text{cm}$$

Distance of C.G of load from edge of cantilever , X= 0.425 m (FIG.1)

$$\begin{aligned} \text{Effective width of slab} &= 1.2x + b_w \\ &= 1.2 \times 0.425 (0.325 + 2 \times 0.05) \\ &= 0.51 + 0.485 = 0.995 \text{ m} \end{aligned}$$

$$\text{Load per metre width of slab} = \frac{11.4/2}{0.995} = 5.728 \text{ t}$$

Dispersion width along span of cantilever

$$= 0.5 + 2(0.08 + 0.19) = 0.5 + 0.54 = 1.04 \text{ m}$$

Some portion of dispersion width goes beyond edge of cantilever.

Dispersion width in cantilever portion

$$= \frac{0.54}{2} + 0.5 + 0.1 = 0.87 \text{ m}$$

Portion of load in cantilever

$$= 5.728 \times \frac{0.87}{1.04} = 4.79 \text{ t}$$

$$\text{B.M} = 4.79 \times \frac{0.87}{2} = 2.083 \text{ t.m}$$

$$\text{B.M including impact} = 1.5 \times 2083 = 3124.5 \text{ Kg.m}$$

$$\text{Total B.M} = 3124.5 + 1038.75 = 4163.25 \text{ kg/m}$$

$$\text{Effective depth} = \frac{\sqrt{4163.25 \times 100}}{12.13 \times 100} = 18.52 \text{ cm}$$

Provide overall depth of 24 cm with effective depth of 20.9 cm

$$\text{Area of steel required} = \frac{4163.25 \times 100}{12.13 \times 100} = 18.52 \text{ cm}$$

Provide overall depth of 24 cm with effective depth of 20.9 cm

$$\text{Area of steel required} = \frac{4163.25 \times 100}{1400 \times 0.87 \times 20.9} = 16.35 \text{ cm}$$

provide 12 mm dia bars at 6 cm c/c distance

Distribution steel : Distribution reinforcement is to be provided for 0.3 times live load moment plus 0.2 times dead load moment.

$$M = 0.3 \times 3124.5 + 0.2 \times 1038.75 = 1145.1 \text{ kg.m}$$

$$\text{Effective depth} = 20.9 \times - 0.6 - 0.4 = 19.9 \text{ cm}$$

$$A = \frac{1145.1 \times 100}{1400 \times 0.87 \times 19.9} = 4.724 \text{ cm}^2$$

Half reinforcement is to be provided at top and half at bottom. 8mm dia bars at 10 cm centres are provided both at top and bottom.

SHEAR:

$$\text{Live load shearing including impact} = 4.79 \times 1.50 = 7185 \text{ kg}$$

$$\text{Dead load shear} = 1240.8 \text{ kg}$$

$$\text{Total shear} = 8425.8 \text{ kg}$$

$$\text{Shear stress} = \frac{8425.8}{100 \times 0.87 \times 20.9} = 4.63 \text{ kg / cm}^2$$

It is safe.

DESIGN OF INTERIOR PANELS :

$$\text{Dead weight of slab per square metre} = 1 \times 1 \times 0.2 \times 2400 = 480 \text{ kg}$$

$$\text{Dead weight of bearing coat} = 1 \times 1 \times 0.08 \times 2200 = 176 \text{ Kg}$$

$$\text{Total D.L.} = 656 \text{ kg / m}^2$$

Live load :Class AA bracketed vehicles : one wheel is placed in the centre of panel. (FIG. 2)

$$\text{Thickness of wearing coat} = 0.08\text{m}$$

$$U = 0.85 + 2 \times 0.8 = 2.05\text{m}; \quad V = 3.6 + 2 \times 0.8 = 5.2\text{m}$$

$$\frac{U}{B} = \frac{2.05}{5} = 0.41$$

$$\frac{V}{L} = \frac{5.2}{7} = 0.743$$

$$\frac{L}{B} = \frac{7}{3.5} = 2$$

Referring to Pigeaud's curve $\{K = 2\}$

$$M_1 = 9.8 \times 10^{-2}, \quad M_2 = 2.2 \times 10^{-2}$$

$$\begin{aligned} \text{Moment along } M_B &= W (M_1 + 0.15M_2) \\ &= \frac{70000}{2} (9.8 \times 10^{-2} + 0.15 \times 2.2 \times 10^{-2}) \\ &= 3545.5 \text{ kg.m} \end{aligned}$$

As the slab is continuous B.M. taken for design will be 0.8 times M_B

$$\text{B.M. including impact and continuity factor} = 1.25 \times 3545.5 \times 0.8$$

$$M_B = 3545.5 \text{ kg.m}$$

$$M_L = (70000/2) * (2.2 \times 10^{-2} + 0.15 \times 9.8 \times 10^{-2}) = 1284.5 \text{ kg.m}$$

B.M. including impact and continuity factor

$$= 1.25 \times 1284.5 \times 0.8 = 1284.5 \text{ kg.m}$$

Shear : Dispersion in the direction of span

$$= 0.85 + 2 (0.85 + 0.20) = 3.7\text{m}$$

For max. shear load is kept such that whole dispersion is in the span.

Load is kept at $1.41 / 2 = 0.705$ m. from the edge of beam.

$$\text{Effective width of slab} = Kx (1-x/l) + b_w$$

Breadth of cross girder = 30 cm Therefore, effective width of

$$\text{slab} = 2.56 \times 0.705 (1 - 0.705 / 2.2) + 3.6 + 2 + 0.08 = 5\text{m}$$

$$\text{Load per metre width} = 70000 / 2 \times 5 = 7000 \text{ kg}$$

$$\text{Shear force} = 7000 \times (2.2 - 0.705) / 2.2 = 4760 \text{ kg}$$

$$\text{Shear force including impact} = 1.25 \times 4760 = 5950 \text{ kg}$$

Class AA wheeled vehicle : there are two possibilities which should be investigated for finding the maximum B.M. in the panel. First possibility is when two loads of 3.75 tonnes each and two loads of 6.25 tonnes each symmetrically placed about two centre line as shown in fig3. second position is when two loads of 3.75 tonnes each and 4 loads of 6.25 tonnes each are placed at the centre.(FIG. 4)

However, on actual analysis in this case it is seen that first case gives maximum B.M. and thus calculation for first case only are shown.

$$U_1 = 0.30 + 2 \times 0.08 = 0.46 \text{ m}$$

$$V_1 = 0.15 + 2 \times 0.08 = 0.31 \text{ m}$$

The analysis for this case is done as given below. For each load

M_1 and M_2 for

$$1. u = 2 (u_1 + x) \text{ and } v = 2 (v_1 + y) \text{ and multiply by } (u_1 + x) (v_1 + y)$$

2. $u = 2x$ and $v = 2y$ and multiply by xy .

3. $U = 2(u_1 + x)$ and $v = 2y$ and multiply by $y(u_1 + x)$

4. $U = 2x$ and $v = 2(v_1 + y)$ and multiply by $(v_1 + y)$

For design B.M_s subtract [(ii) + (iv)] from [(I) + (ii)] and multiply by

$$\frac{w_1}{u_1 v_1}$$

$$(i) \quad u = 2(0.46 + 0.07) = 1.06$$

$$v = 2(0.31 + 0.445) = 1.51$$

$$\frac{u}{B} = \frac{1.06}{2.50} = 0.424$$

$$\frac{u}{B} = \frac{1.51}{5} = 0.30$$

Referring to graph of $K = 1.6$

$$M_1 = 14 \times 10^{-2} ; M_2 = 7 \times 10^{-2}$$

These are to be multiplied by 0.53 x 0.755 modified values are

$$\frac{u}{B} = \frac{1.06}{2.50} = 0.424.$$

$$\frac{u}{L} = \frac{0.89}{5} = 0.424$$

$$\text{From graph } M_1 = 26 \times 10^{-2} ; M_2 = 12.9 \times 10^{-2}$$

These are to be multiplied by 0.07×0.445

$$\text{Modified values are } M_1 = 26 \times 10^{-2} \times 0.07 \times 0.445 = 0.8099 \times 10^{-2}$$

$$M_2 = 2.9 \times 10^{-2} \times 0.07 \times 0.445 = 0.4018 \times 10^{-2}$$

$$(iii) \quad U = 2(0.46 + 0.07) = 1.06$$

$$V = 2 \times 0.445 = 0.89$$

$$\frac{u}{B} = \frac{1.06}{2.50} = 0.425$$

$$\frac{V}{L} = \frac{0.89}{5} = 0.178$$

$$\text{From graph, } M_1 = 15.4 \times 10^{-2} ; M_2 = 11 \times 10^{-2}$$

These are multiplied by 0.53×0.445

$$\text{Modified values are } M_1 = 15.4 \times 10^{-2} \times 0.53 \times 0.445 = 3.56 \times 10^{-2}$$

$$M_2 = 11 \times 10^{-2} \times 0.53 \times 0.445 = 2.594 \times 10^{-2}$$

$$U = 2 \times 0.07 = 0.14$$

$$V = 2(0.31 + 0.445) = 0.51$$

$$\frac{V}{L} = \frac{0.89}{5} = 0.178$$

$$\text{From graph, } M_1 = 20.2 \times 10^{-2} ; M_2 = 8 \times 10^{-2}$$

These are to be multiplied by 0.07×0.755

$$\text{Modified values are } M_1 = 20.2 \times 10^{-2} \times 0.07 \times 0.755 = 1.067 \times 10^{-2}$$

$$M_2 = 8 \times 10^{-2} \times 0.07 \times 0.755 = 0.4228 \times 10^{-2}$$

Design values of M_1 and M_2 are

$$M_1 = 2.801 \times 10^{-2} + 0.4018 \times 10^{-2} - 2.594 \times 10^{-2} = 1.7849 \times 10^{-2}$$

$$M_2 = 2.801 \times 10^{-2} \times 0.4018 \times 10^{-2} - 2.594 \times 10^{-2} - 0.4228 \times 10^{-2}$$

$$= 0.186 \times 10^{-2}$$

B.M. due to load is $W / u_1 v_1 (M_1 + 0.15 M_2)$

$$\text{Total } M_B \text{ is due to 4 loads} = \frac{2 \times 6250}{0.31 \times 0.46} (1.7849 \times 10^{-2} + 0.15 \times 0.186 \times 10^{-2})$$

$$+ \frac{2 \times 3750}{0.31 \times 0.46} (1.7849 \times 10^{-2} + 0.15 \times 0.186 \times 10^{-2})$$

$$= 2294.38 \text{ kg.m}$$

B.M. including impact and continuity factor

$$= 1.25 \times 2294.38 \times 0.8 = 2294.38 \text{ kg.m}$$

$$\text{Total } M_L \text{ due to 4 loads} = \frac{2 \times 6250}{0.31 \times 0.46} (0.186 \times 10^{-2} + 0.15 \times 1.7849 \times 10^{-2})$$

$$+ \frac{2 \times 3750}{0.31 \times 0.46} (1.7849 \times 10^{-2} + 0.15 \times 0.186 \times 10^{-2})$$

$$\text{B.M. including impact and continuity} = 1.25 \times 636.32 \times 0.8 = 636.32$$

Second position of loads is not investigated as it gives less bending moments.

Shear due to class AA wheeled vehicle : dispersion width in direction of span = $0.3 + 2(0.20 + 0.08 + 0.03 + 0.56) = 0.86$ m

Loads are placed such that outermost load is at distance of $0.86 / 2 = 0.43$ m. from edge of the beam. The position of loads for maximum shear is shown in fig. Effective width for first wheel, (FIG:5)

$$= Kx(1-x/l) + bw$$

$$= 2.56 \times 0.43(1 - 0.43 / 2.2) + 0.30 + 2 \times 0.08 = 1.36\text{m}$$

But centre to centre distance of two wheels is 1.2 m and thus effective widths will overlap. Average effective width for one wheel

$$= \frac{1.2 + 1.36}{2} = 1.28\text{ m}$$

Load per metre width of slab

$$= \frac{3750}{1.28} = 2930\text{ kg}$$

Eff. width for second wheel = $2.56 \times 1.03(1 - 1.03 / 2.2) + 0.46 = 1.888$ m

But centre to centre distance of two wheels is 1.2 m and thus effective widths overlap.

$$\text{Average effective width for one wheel} = \frac{1.2 + 1.888}{2} = 1.544\text{ m}$$

$$\text{Load per metre width of slab} = \frac{6250}{1.544} = 4045\text{ kg}$$

$$\text{Portion of } W_3 \text{ in span} = \frac{7240}{0.86} = 0.75 \text{ kg}$$

$$\begin{aligned} \text{shear force at the edge} &= 2930 \frac{(2.2 - 0.43)}{2.2} + 4045 \times \frac{1.17}{2.2} + \frac{7240}{0.86} \times 0.75 \\ &\quad \times \frac{0.75}{2} \times \frac{1}{2.2} = 5565 \text{ kg} \end{aligned}$$

$$\text{Shear force including impact} = 1.25 \times 5565 = 6956 \text{ kg}$$

Class A loading : for maximum BM one wheel of 5.7 tonnes should be placed at the centre of span and other at 1.2 m. from it as shown in fig.

Imaging load $W_3 = W_2$ is placed on the other side of W_1 to make loading symmetrical. B.M. at centre of panel will be that due to W_1 plus half due to load W_2 and W_3 . (FIG:6)

B.M. due to load W_1

$$U = 0.5 + 2 \times 0.08 = 0.66 \text{ m} ; \quad V = 0.25 + 2 \times 0.08 = 0.41 \text{ m}$$

$$\frac{u}{B} = \frac{0.66}{2.5} = 0.264$$

$$\frac{V}{L} = \frac{0.41}{5} = 0.082$$

$$\text{From graph,} \quad M_1 = 19.8 \times 10^{-2} ; \quad M_2 = 16 \times 10^{-2}$$

$$M' B = W (M_1 + 0.15 M_2)$$

$$= 5700 (16 \times 10^{-2} + 0.15 + 19.8 + 10^{-2})$$

B.M. due to w_2

$$U_1 = 0.5 + 2 \times 0.08 = 0.66 \text{ m} ; \quad V_1 = 0.25 + 2 \times 0.08 = 0.41 \text{ m}$$

$$U = 0.66 \quad V = 2 (0.995 \times 0.41) = 2.81$$

$$\frac{u}{B} = \frac{0.66}{2.5} = 0.264$$

$$\frac{V}{L} = \frac{2.81}{5} = 0.562$$

These are to be multiplied by 1.405, Modified values are

$$M_1 = 18.54 \times 10^{-2} ; \quad M_2 = 4.49 \times 10^{-2}$$

$$\frac{u}{B} = \frac{0.66}{2.5} = 0.264$$

$$\frac{V}{L} = \frac{1.99}{5} = 0.398$$

From graph

$$M_1 = 15.0 \times 10^{-2} ; \quad M_2 = 5 \times 10^{-2}$$

These are to be multiplied by 0.995, Modified values of M_1 and M_2 are

$$\text{Modified values are } M_1 = 18.54 \times 10^{-2} - 14.925 \times 10^{-2} = 3.615 \times 10^{-2}$$

$$M_2 = 4.49 \times 10^{-2} \times 0.995 = 4.475 \times 10^{-2} = 0.485 \times 10^{-2}$$

$$M' B = W/V (M_1 + 0.15 M_2)$$

$$= 5700 / 0.41 (3.615 \times 10^{-2} + 0.15 + 0.485 \times 10^{-2}) = 502.57 \text{ kg.m}$$

$$M' L = 5700 / 0.41 (0.485 \times 10^{-2} + 0.15 + 3.615 \times 10^{-2}) = 142 \text{ kg.m}$$

Total B.M due to two loads will be

$$M_B = 1266 + 503 = 1769 \text{ Kg.m} ; M_L = 1082 + 142 = 1224 \text{ Kg.m}$$

$$\text{B.M including impact and continuity, } M_B = 1.50 \times 0.8 = 2122.8 \text{ Kg.m}$$

$$\text{B.M including impact and continuity, } M_L = 1.50 \times 1224 \times 0.8 = 1468.8 \text{ Kg.m}$$

Shear due to class A loading

$$\text{Dispersion width in the direction of span} = 0.50 + 2(0.2 + 0.08) = 1.06 \text{ m}$$

for maximum shear load should be placed at a distance of

$$\frac{1.06}{2} = 0.53 \text{ m from the edge. In this position second load will be}$$

on the other beam.

$$\begin{aligned} \text{Effective width} &= kx \left(\frac{1-x}{1} \right) + b_w \\ &= 2.56 \times 0.53 \left(\frac{1-0.53}{2.2} \right) + 0.25 - 2 \times 0.08 \\ &= 1.05 + 0.41 = 1.46 \text{ m} \end{aligned}$$

Distance between two wheels in widths overlap.

Average effective width per wheel

$$= \frac{1.46 + 1.2}{2}$$

$$= 1.33 \text{ m}$$

Load per metre width of the beam

$$= \frac{5700}{1.33} = 4275 \text{Kg.}$$

$$\text{Shear force} = \frac{4275 (2.2 - 0.53)}{2.2} = 3245 \text{ Kg.}$$

$$\text{S.F including impact} = 1.50 \times 3245 = 4867.5 \text{ Kg.}$$

Design live load B.Ms and S.F :-

$$M_B = 3545.5 \text{ Kg.m due to class AA tracked vehicle.}$$

$$M_L = 1468.8 \text{ Kg due to class A loading.}$$

$$\text{S.F} = 6956 \text{ Kg due to class AA wheeled vehicle.}$$

Dead load :-

$$\text{Dead load per square metre} = 656 \text{ Kg/m}^2$$

D.L B.M will be found by pigeaud's method

$$\text{Total load on panel} = 5 \times 2.5 \times 656 = 8200 \text{Kg}$$

$\frac{u=1}{B}$, $\frac{v=1}{L}$ as the panel is loaded with uniformly distributed load.

$$M_1 = 4.9 \times 10^{-2} ; M_2 = 1.5 \times 10^{-2}$$

$$M_B = 8200 (4.9 \times 10^{-2} + 0.15 \times 1.5 \times 10^{-2}) = 420.25 \text{Kg.m}$$

Taking actual B.M, 0.8 time value to account for continuity

$$M_B = 0.8 \times 420.25 = 336.2$$

$$M_L = 8200 (1.5 \times 10^{-2} + 0.15 \times 4.9 \times 10^{-2}) = 183.35$$

B.M taking into consideration effect of continuity

$$\text{Dead load shear force in assumed as} = \frac{656 \times 2.2}{2} = 721.6 \text{ Kg}$$

$$\text{Total } M_B \text{ due to D.L and L.L} = 2122.8 + 336.2 = 2459 \text{ Kg.m}$$

$$\text{Total } M_L = 1468.8 + 146.68 = 1615.48 \text{ Kg}$$

$$\text{Total S.F} = 8200 + 721.6 = 8921.6 \text{ Kg}$$

Design of section :-

$$\text{Effective depth required} = \frac{\sqrt{2459 \times 100}}{12.13 \times 100} = 14.23 \text{ cm}$$

Provide overall depth of 20cm with effective depth of 16.9cm

$$A_t \text{ for } M_B = \frac{2459 \times 100}{1400 \times 0.87 \times 16.9} = 11.94 \text{ cm}^2$$

provide 12mm \emptyset bars at 90mm c/c distance.

$$\text{Effective depth for } M_L = 16.9 - 0.6 - 0.5 = 15.8 \text{ cm}$$

$$A_t = \frac{1615.48 \times 100}{1400 \times 0.87 \times 15.8} = 8.39 \text{ cm}^2$$

provide 10mm \emptyset bars at 10cm centres.

Check for shear :-

$$\frac{8921.6}{100 \times 0.87 \times 15.8} = 6.067 \text{ Kg/cm}^2$$

safe.

* Design of Longitudinal Girders :

Distribution of live loads on longitudinal beams for B.M.

Class A loading : Reaction on the girders will be maximum when the eccentricity is maximum. Eccentricity will be maximum when the loads are very near to the kerb. Position of loads for maximum eccentricity is as shown in fig. All the girders are assumed to have the same moment of inertia. Reaction factor for outer girder, (Fig. 7)

$$R_A = \frac{4 W_1}{3} \left[1 + \frac{3 I}{2 I \times 2.5^2} \times 2.5 \times 0.59 \right] = 1.805 W_1$$

$$R_B = \frac{4 W_1}{3} [1 + 0] = \frac{4 W_1}{3}$$

If W is also load, wheel load $W_1 = W/2$

$$\text{Reaction factor for outer girder} = \frac{1.805}{2} W = 0.9025 W$$

$$\text{Reaction factor for inner girder} = \frac{4}{3} \times \frac{1}{2} W = 0.6667 W$$

Class AA loading : Position of loads for maximum eccentricity is shown in fig. 8.

$$R_A = \frac{2 W_2}{3} \left[1 + \frac{3 I}{2 I \times 2.5^2} \times 2.5 \times 0.59 \right]$$

$$R_B = \frac{2 W_1}{3} [1 + 0.45] = 0.9667 W_2$$

$$\text{Reactions on outer girder } R_B = \frac{2 W_2}{3}$$

$$\text{If } W \text{ is axle load, wheel load } W_2 = W/2$$

$$\text{Reaction factor for inner girder } \left\{ \frac{2}{3} \right\} \times \left\{ \frac{W}{2} \right\} = \left\{ \frac{W}{3} \right\}$$

$$\begin{aligned} \text{Dead load from slab per girder} &= 2 \times 1240.8 + 656 \times 5.3 \\ &= 5958.4 \text{ kg} \end{aligned}$$

It is assumed that dead load is shared equally by all the girders.

$$\text{Dead load per girder} = \frac{5958.4}{3} = 1986.13 \text{ kg}$$

Impact factors : Span = 20 m

$$\text{Impact factor for class AA loading} = 10 \%$$

$$\text{Impact factor for class A loading} = \frac{4.5}{6 + L}$$

$$= \frac{4.5}{6 + 20} = 0.173$$

Live load B.Ms and S.F. at different sections will be found for class AA bracket vehicle and class A loading. Class AA wheeled vehicle is not considered as it does not produce work effect.

Live load bending moment : Centre of span. (FIG. 1L1)

Class AA loading: Position of load is as shown.

$$\text{B.M.} = \frac{5 + 4.1}{2} \times 70 = 318.5$$

B.M. including impact and reaction factor for outer girder.

$$= 318.5 \times 1.1 \times 0.4833$$

$$= 169.32 \text{ t.m.} = 169324 \text{ kg/m}$$

$$\text{for outer girder} = 116783 \text{ kg.m}$$

Class A loading : Position of loads for maximum B.M. at caentre of span is shown in fig.

$$\begin{aligned} \text{B.M.} &= \frac{11.4 \times 5 + 11.4 \times 8.8}{10} + 2.7 \frac{4.5 \times 5}{10} + \frac{2.7 \times 5.6 \times 5}{10} \\ &+ \frac{6.8 \times 2.7}{10} \times 5 + \frac{6.8 \times 5.7}{10} \\ &= 149.355 \text{ t.m.} \end{aligned}$$

B.M. including impact factor and reaction factor for outer girder.

$$= 149.355 \times 0.9025 \times 1.173 = 158.112 \text{ t.m}$$

B.M. including impact factor and reaction factor for inner girder.

$$= 149.355 \times 0.666 \times 1.173 = 116.80 \text{ t.m.}$$

it is seen that maximum B.M. for inner girder and outer girder is given by class AA cracked vehicle.

$$\text{Maximum L.L. moment for outer girder} = 169324 \text{ kg.m}$$

$$\text{Maximum L.L. moment for inner girder} = 116783 \text{ kg.m.}$$

Quarters span :

Class A loading : position of load for maximum B.M. is as shown in fig. 1L a.

$$\text{B.M.} = \frac{4 + 3.325 \times 70}{2} = 256.31 \text{ t.m}$$

B.M. including impact factor for outer girder.

$$= 256.37 \times 1.1 \times 0.4833 = 136.293 \text{ t.m.}$$

B.M. including impact factor for inner girder.

$$= 256.37 \times 1.1 \times 1/3 = 94 \text{ t.m.} = 94000 \text{ kg.m.}$$

Class A loading : Position of loads for maximum B.M. as shown in fig.

$$\begin{aligned} \text{B.M} = & 11.4 \times 4 + 11.4 + \frac{13.8 \times 4}{15} + \frac{6.8 \times 6.5 \times 4}{15} \\ & + \frac{6.8 \times 3.5 \times 4}{15} + \frac{6.8 \times 0.5 \times 4}{15} = 125.46 \text{ t.m} \end{aligned}$$

B.M. including impact factor for outer girder

$$= 125.54 \times 0.9025 \times 1.173 = 132.90 \text{ t.m.}$$

B.M. including impact factor for inner girder

$$= 125.54 \times 0.6667 \times 1.173 = 98.17 \text{ t.m.}$$

Maximum B.M. is given by class AA loading.

$$\text{Maximum live load B.M. for outer girder} = 99820 \text{ kg.m}$$

$$\text{Maximum live load B.M. for inner girder} = 68.340 \text{ kg.m}$$

Live load shear : Maximum shear at all section is given by class AA bracket vehicle for maximum shear at support, load should be as near the support as possible. The length of the load is 3.6m. whole of load will lie between support and first cross - girder. L.L. shear at support is found by the method described earlier. for intermediate section shear will be found by drawing influence lines. The reaction factors shear at intermediate sections. The position of centre line of load for maximum shear force is showing fig. Let P_A , P_B and P_L be the loads coming on the longitudinals considering the slab as simply supported. (FIG - 9)

$$P_A = W_1 \frac{2.5 - 0.725}{2.5} = 0.75W_1$$

$$P_B = W_1 \frac{0.75 W_1}{2.5} + \frac{(2.5 - 0.275) W_1}{2.5}$$

$$= 0.29 W_1 + 0.89 W_1$$

$$P_B = W_1 \frac{0.275 W_1}{2.5} = 0.11 W_1$$

Due to P_A shear force at A = R_A'

$$= \frac{0.71 W_1 \times 2.2}{5}$$

$$R_Q = \frac{0.71 W_1 \times 1.8}{2.2}$$

Due to P_B shear force at

$$B = R'B = \frac{1.18 W_1 \times 2.2}{5} = 0.5192$$

$$R_R = 1.18 \times \frac{1.8}{2.2} = 0.531 W_1$$

Due to P_C , shear force at C

$$= R'c = \frac{0.11 W_1 \times 2.2}{5} = 0.0484 W_1$$

The loads on the cross girder (i.e.) R_Q , R_Q , and R_s are to be distributed by normal Courbon's theory.

$$EW = 0.3195 W_1 + 0.531 W_1 + 0.0396 = 0.8901 W_1$$

Let x be the distance of C.G. of loads from Q.

$$X = \frac{0.531 W_1 \times 2.5 + 0.0396 W_1 \times 5}{0.8901 W_1}$$

$$= 1.713$$

Eccentricity $e = 2.5 + 1.713 = 4.213 \text{ m}$

$$F_Q = \frac{0.8901 W_1}{2} \left\{ 1 + \frac{3 \times 0.75 \times 2.5}{2 \times 2.5^2} \right\} = 0.430 W_1$$

$$F_R = \frac{0.9 W_1}{3} \{1 + 0\} = 0.3 W_1$$

$$\text{Due to } F_Q, R_A = 0.430 \times 15 / 20 = 0.3225 W_1$$

$$\text{Due to } F_R, R_B = 0.3 W_1 \times 15 / 20 = 0.225 W_1$$

Therefore, total reduction on outer girder = $0.3124 + 0.3225 = 0.6349 W_1$

Total reduction on the inner girder = $0.5192 + 0.225 W_1 = 0.7442 W_1$

Maximum S.F. at support including impact for outer girder.

$$= 1.1 \times 0.6349 \times \frac{0.9 W_1}{3} = 24443.65 \text{ kg}$$

Maximum S.F. at support including impact for inner girder.

$$= 1.1 \times 0.7442 \times \frac{70000}{2} = 28651.7 \text{ kg}$$

* Shear at centre of span : Position of load for maximum shear is shown in influence line diagram in fig. 3.21. IL₃.

$$\text{S.F.} = ((1/2 + 1/2 + 7.4/10)/2) \times 10000 = 30450 \text{ kg}$$

S.F. including impact for outer girder.

$$= 1.1 \times 0.4833 \times 30450 = 16188.133 \text{ kg}$$

S.F. including impact for inner girder = $1.1 \times 1/3 \times 30450 = 11165 \text{ kg}$

Shear at $3/8^{\text{th}}$ span

$$\text{S.F.} = \frac{5/8 + 5/8 \times 8.4/12.5}{2} \times 70000 = 36575 \text{ kg}$$

S.F. including impact for other girder = $36575 \times 0.4833 \times 1.1 = 19444.36 \text{ kg}$

S.F. including impact for inner girder = $36575 \times 1/3 \times 1.1 = 13410.83 \text{ kg}$

Shear at quarter span :

$$\text{S.F.} = \frac{3/4 + 3/4 \times 11.4/15}{2} \times 70000 = 46200 \text{ kg}$$

S.F. including impact factor for other girder
 $= 1.1 \times 0.4833 \times 46200 = 24561.31 \text{ kg}$

S.F. including impact factor for inner girder
 $= 1.1 \times 1/3 \times 46200 = 16940 \text{ kg}$

Dead load B.M. and S.F:
 Assume depth of rib as 1.4 m

Width of rib per metre run $= 1 \times 0.3 \times 1.4 \times 2400 = 1008 \text{ kg}$

Cross girders are provided at centre, quarter points and at the supports,
 width of each cross girders is 30 cm and depth 1.4 m

Width of each cross girder $= 1 \times 0.3 \times 1.4 \times 2400 = 1008 \text{ kg}$

Reaction from deck slab on each cross section $= 1986.13 \text{ kg}$

Total load per metre run of girder $= 1986 + 1008 = 2994 \text{ kg}$

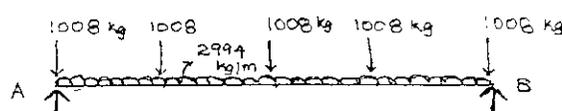
B.M. at centre of span

$$= \frac{2994 \times 20 \times 20}{10} + 1008 \times 5 + \frac{1008}{2} \times 5$$

$$= 129840 \text{ kg.m}$$

B.M. at quarter span $= 2994 \times 10 \times 5 - 2994 \times 5 \times 2.5 + 1008 \times 5 + \frac{1008}{2}$

$$= 119835 \text{ kg.m.}$$



Dead load shears at support

$$= 2994 \times 10 + \frac{1008}{2} = 31452$$

Dead load shear at quarter span

$$= 31452 - 2994 \times 5 = 16482 \text{ kg.}$$

Dead load shear at $3/8^{\text{th}}$ span

$$= 3152 - 2994 \times 8 = 16485 \text{ kg.}$$

$$= 6492$$

$$\text{dead load shear at centre of span} = \frac{1008}{2} = 504 \text{ kg}$$

Design bending moment and shear forces :

Outer girder :

$$\text{Total B.M at centre of span} = 169324 + 129840 = 299164 \text{ kg.m}$$

$$\text{Total B.M. at quater span} = 99820 + 119835 = 219655 \text{ kg.m}$$

$$\text{Total shear force at support} = 24443.65 + 31452 = 55895.65 \text{ kg.m}$$

$$\text{Total shear force at quarter span} = 24561.3 + 16482 = 41043.3 \text{ kg.m}$$

$$\text{Total shear force at } 3/8 \text{ th span} = 19444.36 + 119835 = 25936.36 \text{ kg.m}$$

$$\text{Total shear force at centre of span} = 16188.33 + 504 = 16692.33 \text{ kg}$$

Inner girder :

$$\text{Total B.M. at centre of span} = 116783 + 129840 = 246623 \text{ kg.m}$$

$$\text{Total B.M. at quarter span} = 68340 + 76896 = 145236 \text{ kg.m}$$

Total shear force at support span = $28651.7 + 31452 = 60103.7 \text{ kg.m}$

Total shear force at quarter span = $16940 + 16482 = 32972 \text{ kg.}$

Total S.F. at $3/8^{\text{th}}$ span = $13416.83 + 6492 = 19902 \text{ kg}$

Total S.F. at mid span = $11165 + 504 = 11669 \text{ kg}$

Design of section :

Outer girder : Max B.M. = 299.164

The beam us designed as T-beam , Assume effective depth as 145 cm

Assume lever arm = 0.9×145

$$A_t = \frac{299164 \times 100}{0.9 \times 145 \times 1400} = 163.74 \text{ cm}^2$$

Provide 20 bars of 32 mm dia. As provided = 168.89 cm^2

Check for stresses : flange width will be least of

i. $12 d_s + b = 12 \times 20 + 30 = 270 \text{ cm}$

ii. $c/c = 2.5 \text{ m} = 250 \text{ cm}$

iii $\text{Span}/3 = 2000/3 = 666.67$

Therefore, $B = 250 \text{ cm}$

For checking stress average thickness of flange is assumed as 20 cm .

The concrete mix used for slab is M 200 and the girders M150. As the whole compression is assumed to be taken by

Assume N.A. to lie in web , $250 \times 20 (n - 10) = 13 \times 168.89(145 - n)$

$$\frac{5000}{13 \times 168.89} (n - 10) = 145 - n$$

$$2.28 n - 22.80 = 145 - n$$

$$3.38 n = 167.80$$

$$n = 49.64 \text{ cm}$$

Lever arm a,

$$= \frac{d - d_s}{2} + \frac{d_s^2}{6(2n - d_s)} = 145 - 10 + \frac{20 + 20}{6(2 \times 49.64 - 20)}$$

$$= 135.84 \text{ cm}$$

$$\text{B.M.} = \frac{B d_s C_d (1 + n - n_s)}{N} \times a$$

$$C_a = 27.579 \text{ kg / cm}^2$$

Area of steel required at quarter span

$$= \frac{219655}{1400 \times 0.9 \times 145} = 120.22 \text{ cm}^2$$

15 bars of 32 mm dia are required

Check for shear and bond : Maximum shear at support

$$= 55895.65 \text{ kg}$$

Assume effective depth as 150 cm at support and lever arm as

$$E_0 \text{ required for bond} = \frac{55895.65}{10 \times 0.9 \times 15.0} = 41.40 \text{ cm}$$

$$\text{Number of 32 mm dia bars required} = \frac{41.40}{\pi \times 3.2} = 5.14 \text{ nos.}$$

At least 6 bars are to be taken straight

$$\text{Shear stress at support} = \frac{55895.65}{30 \times 0.9 \times 15.0} = 13.8 \text{ kg/cm}^2$$

$$\text{Shear stress at centre of span} = \frac{16692.83}{30 \times 135.98} = 4.12 > 5$$

No shear reinforcement is required

$$\text{Shear stress as } 3/8^{\text{th}} \text{ span} = \frac{25936.36}{30 \times 0.9 \times 145} = 6.62 > 5$$

Bars are bent in sets with two bars in each set at every 0.95 m. five sets of bent up bars are provided. Bent up bars will be effective upto $5 \times 0.95 = 4.75$ m. from support. At every section two sets of bars i.e. 4 bars are effective as the bars are bent at spacing of 0.707a. Shear taken by bent up 32 mm dia bars

$$= 4 \times 8.04 \times 1400 \times 0.707 = 31800 \text{ kg}$$

Net shear force at support for which shear reinforcement is to be provided

$$= 55895 - 31800 = 24095 \text{ kg}$$

Using 10mm dia 2 legged stirrups

$$\text{Spacing} = (2 \times 0.785 \times 1400 \times 0.87 \times 150) / 24095 = 11.90 \text{ cm}$$

Provide 10 mm dia 2 legged stirrups at 11cm centres upto 3.8 m from support. After 3.8 m from support only two bars are effective.

$$\text{Shear taken by two bars} = \frac{16188.62 \text{ kg}}{2} = 8094.31 \text{ kg}$$

Net shear at quarter point for which stirrups are required

$$= 41043.30 - 16188.63 = 24854.67 \text{ kg}$$

10mm dia stirrups at 10 cm centre are provided between 3.8 m and 4.10m from support beyond 4.10 m from support no bar is effective.

Providing 12 mm dia 2 legged stirrups,

$$\text{Spacing} = \frac{2 \times 1.13 \times 1400 \times 0.9 \times 145}{41043.3} = 11.1 \text{ cm}$$

As the shear at 4.7 m is less than that at quarter span, provide 12 mm dia 2 legged stirrups at 13 cm centres upto 6m from support.

$$\text{Shear force at } 3/8^{\text{th}} \text{ span} = 25936.36$$

Using 12 mm 2 legged stirrups spacing

$$\text{Spacing} = \frac{2 \times 1.13 \times 1400 \times 0.9 \times 145}{25936.36} = 15.1$$

Provide 12 mm dia stirrups upto 7.5m from support. In the remaining portion provide 12 mm dia stirrups at 50cm centres.

INNER GIRDER:

$$\text{Maximum B.M. at centre} = 246623 \text{ kg.m}$$

$$\text{Area of steel required at centre} = \frac{246623 \times 100}{1400 \times 0.9 \times 1} = 134.98 \text{ cm}^2$$

Provide 16 bars of 32 mm diameter

CHECK FOR SHEAR AND BOND

$$\text{Maximum shear at support} = 60103.7 \text{ kg}$$

Assume effective depth as 150 cm at support

$$E_0 \text{ required for bond} = \frac{58777}{10 \times 0.9 \times 150} = 44.52 \text{ kg/cm}^2$$

$$\text{Number of 32 mm dia bars required} = \frac{58777}{10 \times 0.9 \times 150} = 4.42 \text{ cm}$$

6 bars of 32 mm dia are taken straight

$$\text{Shear stress at support} = \frac{58777}{30 \times 0.9 \times 150} = 14.5 \text{ kg/cm}^2$$

$$\text{Shear stress at centre of span} = \frac{11669}{30 \times 0.9 \times 14.5} = 2.98 \text{ kg/cm}^2$$

$$\text{Shear stress at } 3/8^{\text{th}} \text{ span} = \frac{19902.83}{30 \times 0.9 \times 14.5} = 4.90 \text{ kg/cm}^2 < 5$$

No shear reinf is required b/w mid span and $3/8^{\text{th}}$ span. Bars are bent in sets at every 0.95m, with two bars in each set. Four sets of bent up bars are provided. Bent up bars will be effective upto $4 \times 0.95 = 3.8\text{m}$. from support. At every section two sets of bars i.e. bars are effective as the bars are bent at spacing of 0.707a.

$$\text{Shear taken by 4 bent up bars} = 31.800 \text{ kg}$$

Net shear for which shear reinforcement is to e provided at supports

$$= 60103.7 - 31800 = 28303.7$$

Provide 12 mm dia 2 legged stirrups.

$$\text{Spacing} = \frac{2 \times 1.13 \times 1400 \times 0.9 \times 145}{28303.7} = 14.58 \text{ cm}$$

Provide 12 mm dia 2 legged stirrups at 15 cm centres. This spacing is provided upto 3.8m from support. After 2.85 m from support only two bars are effective but S.F. is less than at support.

$$\text{Shear force at quarter span} = 32972 \text{ kg}$$

Providing 12 mm dia 2 legged stirrups.

$$\text{Spacing} = \frac{2 \times 1.13 \times 1400 \times 0.9 \times 145}{32972} = 12.52 \text{ cm}$$

Provide 12 mm dia stirrups at 12 cm, centres between 3.8m from support and 5.0 m from support. Provide 12 mm dia 2 legged stirrups at 20 cm centres between 5.0m and 6.0m from support.

$$\text{Maximum web reinforcement} = 0.15 \% \text{ of area of web in plan}$$

$$= 0.15/100 \times 30 \times 100 = 4.5 \text{ cm}^2$$

Providing 10 mm dia stirrups

$$\text{Spacing} = \frac{2 \times 0.785 \times 100}{4.5} = 34.8 \text{ cm}$$

Provide 10 mm dia stirrups, at 25 cm centres. Details of inner and outer girder are shown in fig.

DESIGN OF CROSS GIRDER:

$$\text{Self weight of cross girder} = 1008 \text{ kg.m}$$

$$\text{Dead load from slab} = 2 \times 1/2 \times 2.5 \times 1.25 \times 656 = 2050 \text{ kg}$$

This load will be assumed as uniformly distributed load per metre run

$$= \frac{2050}{2.5} = 820$$

$$\text{Total dead load per metre run} = 1008 + 820 = 1828 \text{ kg}$$

Girder is assumed to be rigid (FIG. 11)

Reaction on each

$$= \frac{1828 \times 5}{3} = 3046.67 \text{ kg}$$

For maximum B.M. and S.F. in the cross girder load should be on the cross-girder. The position of load for maximum B.M. in the cross girder is shown in fig. 10.

$$\begin{aligned} \text{Load coming on the cross girder} &= 70000 \times \{5 - 1.8/2\} \\ &= 70000 \times \{3.1 / 4\} = 129150 \text{ kg} \end{aligned}$$

Cross girder is assumed to be rigid.

Reaction on each longitudinal girder

$$= \frac{129150}{3} = 43050 \text{ kg}$$

Maximum B.M. occurs under the load.

Maximum live load B.M.

$$\begin{aligned} &= \frac{129150}{3} = \times 1.475 \text{ kg} \\ &= 63498.75 \text{ kg.m} \end{aligned}$$

$$\text{B.M. including impact} = 1.1 \times 63498.75 = 69848.625 \text{ kg.m}$$

Dead load B.M. at 1.475 m from support

$$= 3046.67 \times 1.475 - \frac{1.47^2}{2}$$

$$= 4500 + 1990 = 2510 \text{ kg.m}$$

$$\text{Total B.M} = 69848.62 + 2510 = 72358.62 \text{ kg.m.}$$

Live load shear including impact

$$= \frac{121150}{3} \times 1.1 = 47355 \text{ kg}$$

$$\text{Total shear force} = 47355 + 3046.67 = 50401$$

Total cross - girder is designed as T-beam . (FIG. 12)

$$\text{Assume effective depth} = 154 \text{ cm}$$

$$A_t = \frac{72358.62 \times 100}{1400 \times 0.9 \times 154} = 37.29 \text{ cm}^2$$

Provide 8 bars of 25 mm dia

Shear stress

$$= \frac{50401}{30 \times 0.9 \times 154} = 12.12 \text{ kg/cm}^2$$

Using 12 mm dia 2 legged stirrups,

$$\text{Spacing} = \frac{1400 \times 2 \times 1.13 \times 0.9 \times 154}{50401} = 8.7 \text{ cm}$$

Provide 12 mm dia, 2 legged stirrups at 8 cm centres

[REINFORCEMENT DETAILS OF BRIDGE ARE SHOWN IN DRAWINGS

SECTION]

4.2. DESIGN OF BRIDGE.

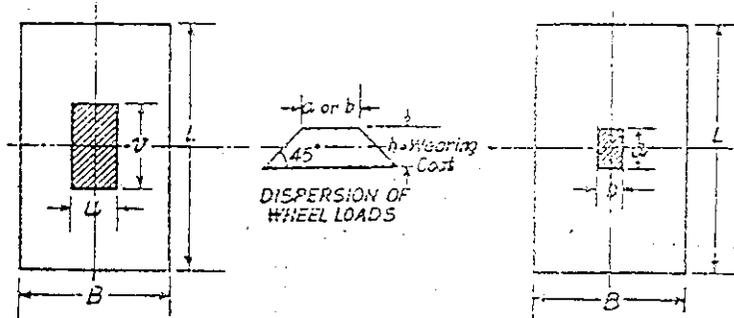
✓ **M. Pigeaud's theory.** The curves shown in Fig. 3.3 are based on M. Pigeaud's theory and can be used for calculating bending moments on a panel freely supported along four edges with restrained corners and carrying symmetrically placed load and distributed over some defined area. Wheel loads and concentrated loads are assumed to be dispersed through

$$u = b + 2h$$

$$v = a + 2h$$

$$a = \text{assumed contact length}$$

$$b = \text{tyre width}$$



$$\text{Short span B.M.} = W(M_1 + 0.15M_2)$$

$$\text{Long span B.M.} = W(0.15M_1 + M_2)$$

(B.M.S. in kg. m. per metre width)

Fig. 3.2

wearing coat as shown in Fig. 3.2 and values of u and v are obtained. $u = b + 2h$, $v = a + 2h$. From these values u and v ratios $\frac{u}{B}$ and $\frac{v}{L}$ are calculated, for which the bending moments M_1 and M_2 for unit load are found from curves of Fig. 3.3 for the appropriate value of the ratio of spans $k = \frac{L}{B}$. For a total load of W on the area u by v the B.M. in shorter span is $W(M_1 + 0.15M_2)$ and that in longer span is $W(0.15M_1 + M_2)$ in kg. m. per metre width of slab. In calculating above B.M.s. the value of Poisson's ratio is assumed as 0.15.

The curves shown in Fig. 3.3 are plotted for $k = 1.0, 1.25, 1.414, 1.67, 2.0, 2.5$ and infinity. For intermediate values of k , the values of M_1 and M_2 may be interpolated. The curves of $k = 1.0$ are applicable in a square panel. $k = \infty$ apply to panel of large length L as compared to breadth B and can be used for determining the transverse and longitudinal bending moments on a long narrow panel supported on two long edges only.

When there are two concentrated loads symmetrically disposed or an eccentric load, the resulting bending moments can be calculated from the rules given in Table 3.1.

Table 3.1

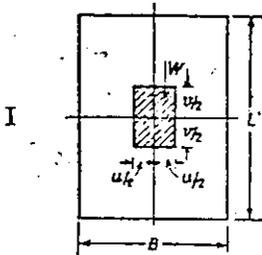
Find M_1 and M_2 for

$$\frac{u}{B} \text{ and } \frac{v}{L}$$

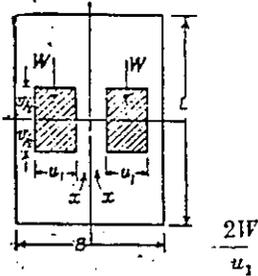
Design B.Ms. :

$$M_B = W(M_1 + 0.15M_2)$$

$$M_L = W(0.15M_1 + M_2)$$



II



Find M_1 and M_2 for

(i) $u = 2(u_1 + x)$ and

$v = v$ and

multiply by $(u_1 + x)$

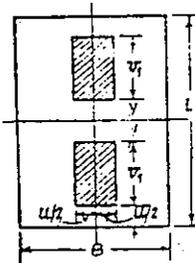
(ii) $u = 2x$ and $v = v$

and multiply by x

(iii) Deduct (ii) from (i)

For design B.Ms. M_1 and $M_2 =$ (iii) multiplied by

III



Find M_1 and M_2 for

(i) $u = u$ and $v = 2(v_1 + y)$

and multiply by

$(v_1 + y)$

(ii) $u = u$ and $v = 2y$

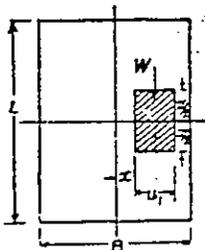
and multiply by y

(iii) Deduct (ii) from (i)

For design B.Ms.

M_1 and $M_2 =$ (iii) multiplied by $2W/v_1$.

IV



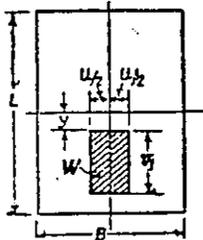
Find M_1 and M_2 for

(i), (ii) and (iii) as case II

For design B.Ms.

M_1 and $M_2 =$ (iii) multiplied by W/u_1 .

V



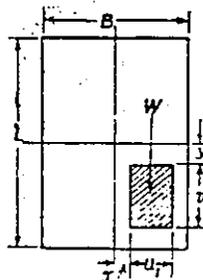
Find M_1 and M_2 for

(i), (ii) and (iii) as case III.

For design B.Ms.

M_1 and $M_2 =$ (iii) multiplied by W/v_1 .

VI



Find M_1 and M_2 for

(i) $u = 2(u_1+x)$ and

$v = 2(v_1+y)$ and

Multiply by

$(u_1+x)(v_1+y)$

(ii) $u = 2x$ and $v = 2y$ and

multiply by xy

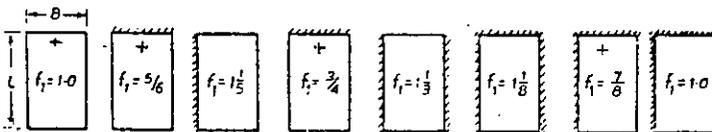
(iii) $u = 2(u_1+x)$ and $v = 2y$

and multiply by $y(u_1+x)$

(iv) $u = 2x$ and $v = 2(v_1+y)$

and multiply by $x(v_1+y)$

For design B.Ms. subtract (iii)+(iv) from (i)+(ii) and multiply by W/u_1v_1 .



Non-continuous but monolithic with support—

Continuous over-support.....

$$k = f_1 \cdot \frac{L}{B} ; \text{ if in cases marked thus +, } f_1 \cdot \frac{L}{B} < 1.0$$

Transpose B and L
(and u and v)

Calculate B.Ms. in each direction as if freely supported but with $k = f_1 \frac{L}{B}$ (or $k = f_1 \frac{L}{B}$ if < 1.0) multiplied by the following ;

Co-efficients to give the design bending moments at the specified sections.

Mid Span : Interior span = 0.7 : End span = 0.85

Supports : End support = 0.25 Penultimate = 0.95

Interior (except penultimate) = 0.90

$K=20$

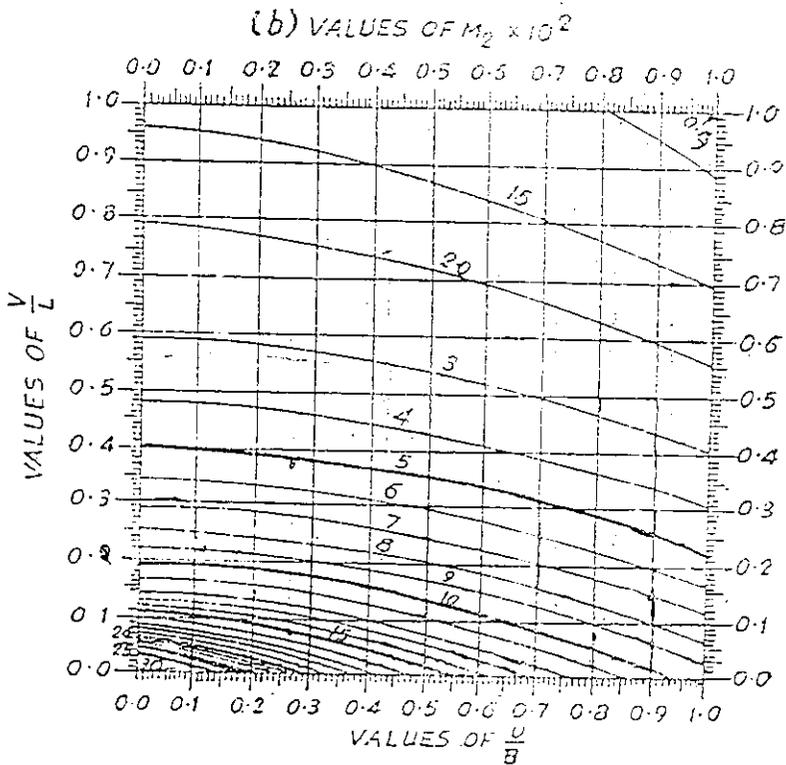
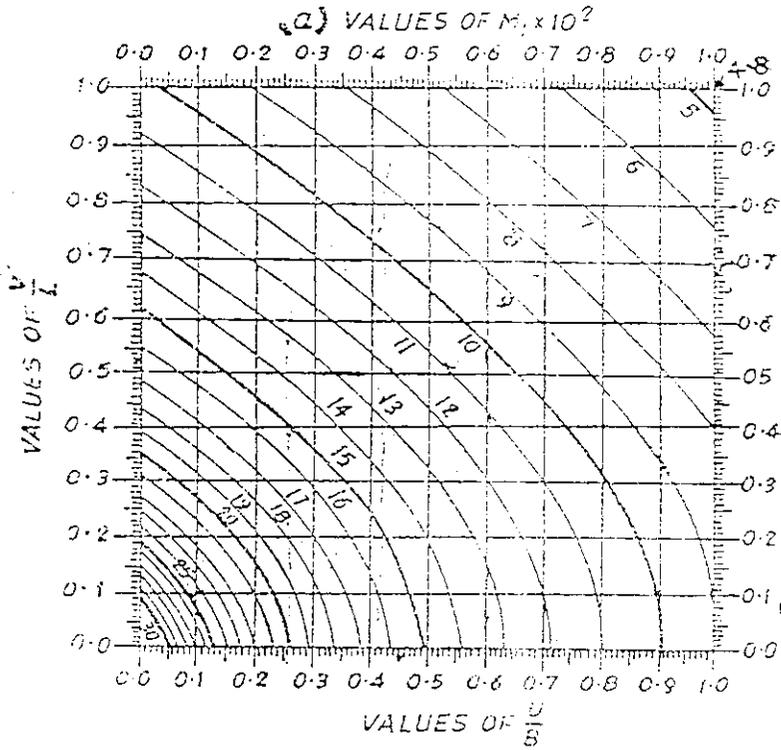


Fig. 3.3 (d)

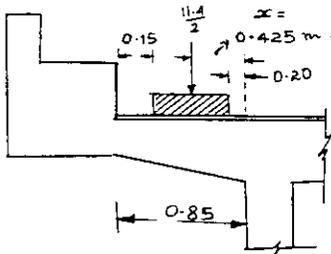


FIG: 1

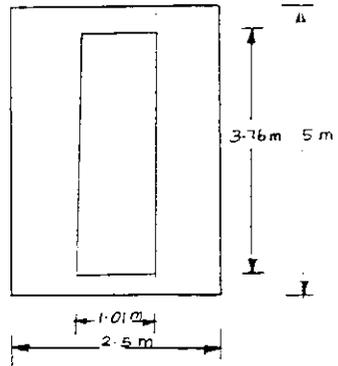


FIG: 2

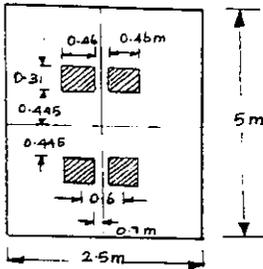


FIG: 3

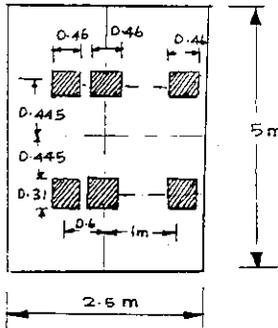


FIG: 4

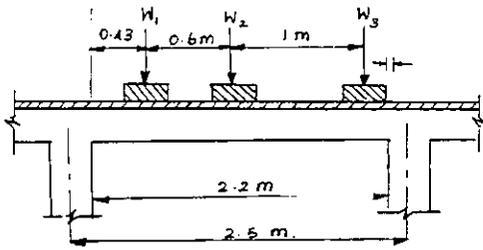


FIG: 5

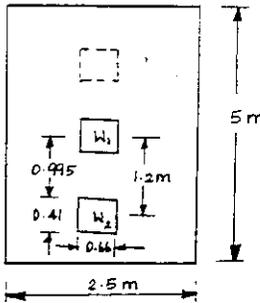
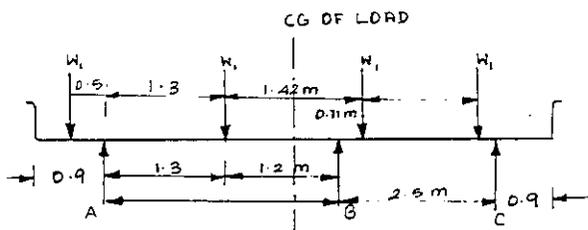
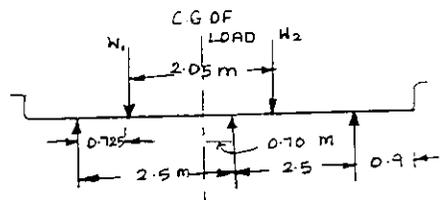


FIG: 6



CLASS A LOADING

FIG: 7



CLASS AA TRACKED VEHICLE

FIG: 8

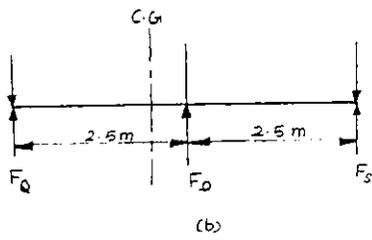
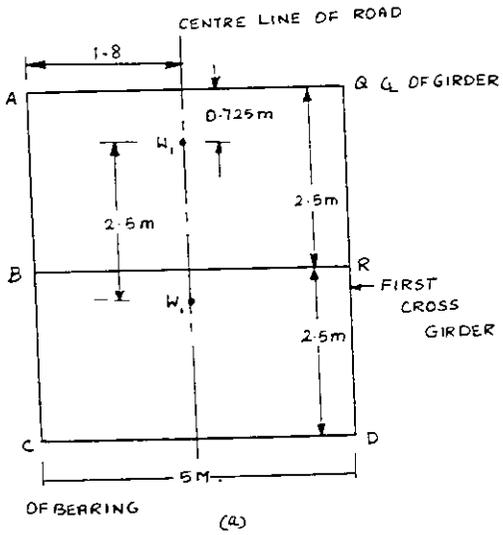


FIG: 9

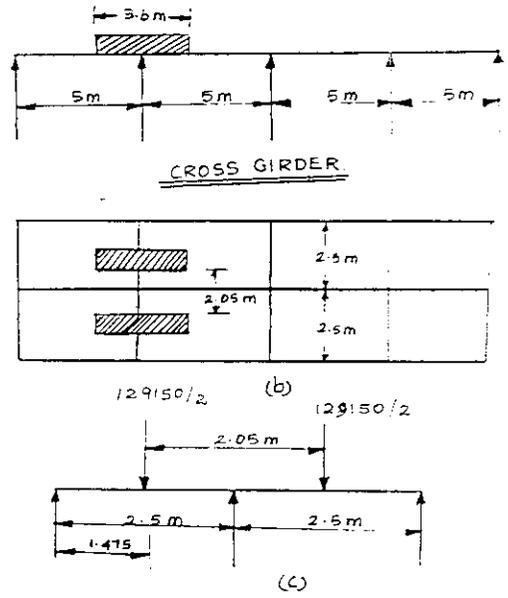


FIG: 10

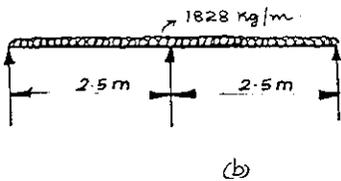
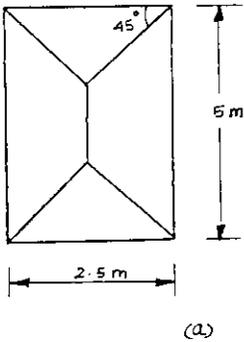


FIG: 11

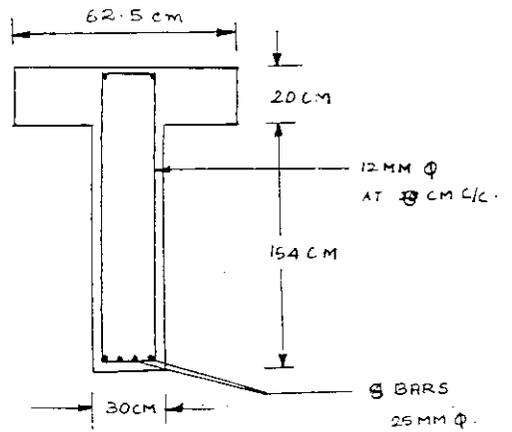
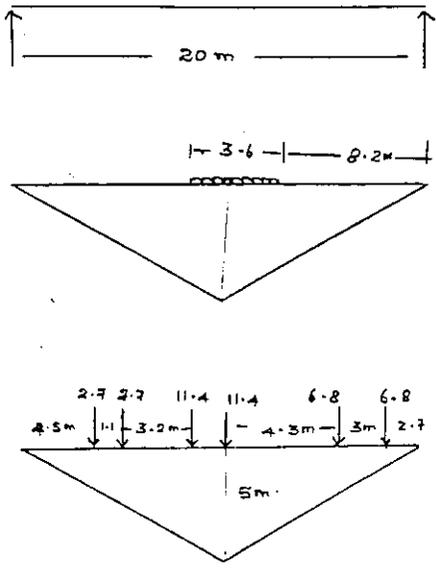
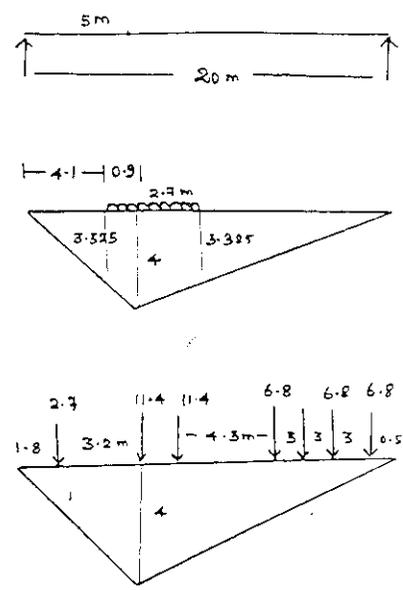


FIG: 12



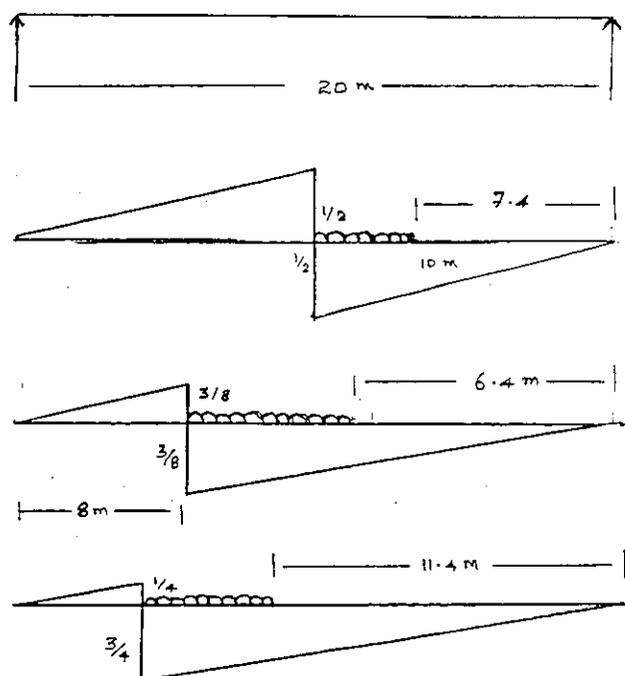
I.L. FOR B.M AT CENTRE OF SPAN.

FIG. IL1



IL FOR POSITION OF MAX. B.M

FIG. IL2.



I.L. FOR S.F AT CENTRE OF SPAN.

I.L. FOR S.F AT 3/8 TH SPAN.

I.L. FOR S.F AT 1/4 TH SPAN.

DESIGN OF PIER

Solution :

Dead load of superstructure per span

=Dead loan coming from two outer girders and inner girder

$$= 2 \times 1 [2 \times 31452] + 2 \times 31452 = 188,712 \text{Kg}$$

(It was assumed in the analysis that dead load is taken equally by all girders)

$$= 188.712 \text{ t}$$

Assume weight of bearings, plates etc. as 10 t.

$$\text{Total dead load} = 198.712 \text{ t}$$

From fig 9.8, the distance between the outsides of outermost girders

$$= 5.0 + 0.30 = 5.3 \text{m.}$$

$$\text{Minimum pier length required at the top} = 5.3 + 1.2 = 6.5 \text{m.}$$

Provide a top length of 7.4 m in straight portions with semicircular ends as shown in fig.p1. Use 1:3:6 concrete mix for pier. Assume centre of bearings between two girders as 1.0m

$$\text{Minimum width required at top} = 1.0 + 2 \times 0.3 = 1.6 \text{m}$$

Provide a concrete pier with top width of 2.0m for straight portion and width of 3.0 m at bottom for straight portion.

$$\text{Area of pier at top} = 2 \times 7.4 + \pi/4 \times (2)^2 = 17.94$$

$$\text{Area of pier at bottom} = 3 \times 7.4 + \pi/4 \times 3^2 = 29.26$$

$$\text{Self weight of pier} = (17.94 + 29.26)/2 \times 8 \times 2.2 = 415.43$$

Moment of inertia of pier at base about y axis

$$= (1/12) \times 3 \times (7.4)^3 + 2 \times \{ \pi / 128 \} \times 3^4 + 2 \times (\pi/8) \times 3^2 \times 3.7^2$$

$$I_{yy} = 202.05 \text{ m}^4$$

Moment of inertia about x axis

$$= (1/12) \times 7.4 \times (3)^3 + 2 \times \{ \pi / 64 \} \times 3^4$$

$$I_{xx} = 20.62$$

$$\text{Design dead load for pier} = 198.72 + 415 = 613.72 \text{ t}$$

Stresses due to Dead Load :

$$\text{Stresses at base due to D.L} = 613.72/29.26 = 20.97 \text{ t.m}^2(\text{comp})$$

Stresses due to Buoyancy :

$$\text{Weight of pier at high-flood level (fig p2)} = 1.925 \text{ m (compression)}$$

Area at pier at high flood level

$$= 2.125 \times 7.4 + (\pi/4) \times 2.125^2 = 13.86 + 2.91 = 19.271$$

Submerged volume of pier

$$= \frac{19.271 + 29.26}{2} \times 7 = 169.86$$

Reduction in weight of pier due to buoyancy = weight of displaced water

$$= 169.86 \text{ t}$$

$$\text{Stress at base } \sigma_b = \frac{169.86}{29.26} = -5.80 \text{ t/m}^2 \text{ (tensile)}$$

Stresses due to live loads :

Reaction due to live loads class AA loading

$$\text{including impact} = 1.1 \times 70 = 77 \text{ t}$$

Maximum bending caused by eccentricity of this load is about x axis.

$$\text{Maximum B.M.} = 77 \times 0.5 = 38.15 \text{ tm}$$

Maximum and minimum stresses at the base due to this load will be

$$\sigma_t = \frac{77}{29.26} \pm \frac{38.5 \times 1.4}{I_x} = 2.631 \pm \frac{38.5 \times 1.4}{20.62}$$

$$\sigma_t = 5.244 \text{ t/m}^2 \text{ compression} ; \sigma_t = 0.017 \text{ t/m}^2 \text{ tension}$$

Stresses due to longitudinal force :

Maximum longitudinal force will occur due to class AA loading

$$= 0.2 \times 70 = 14 \text{ t}$$

Moment at base at pier due to this force = $14 \times 8 = 112 \text{ t m}$

$$\text{Stresses at the base} = \pm \frac{112 \times 1.4}{I_x} \pm \frac{112 \times 1.4}{20.62} = \pm 7.604 \text{ t/m}^2$$

Stresses due to unequal frictional resistance bearings :

The frictional resistance of the bearings on bridge pier may differ, and this will cause moment on the pier. Assume coefficient of friction as 0.25 at one bearing and 0.22 at other bearing.

Total resistance at one set of bearing with dead and live load

$$= 0.25 (198.712 + 1.1 \times 70) = 68.928 \text{ t}$$

Total resistance at other set of bearing due to dead load only

$$= 0.25 \times 198.712 = 43.716 \text{ t}$$

Unbalanced force at the top of the pier = $68.93 - 43.72 = 25.21 \text{ t}$

Moment at base = $8 \times 25.21 = 201.69 \text{ t m}$

$$\text{Shear at the base} = \pm \frac{201.69}{I_v} = \pm \frac{192.56 \times 1.4}{20.62}$$

$$= \pm 13.69 \text{ t/m}^2$$

Stresses due to wind loads :

Exposed height of the structure = Depth of girder + Thickness of slab
+ Height of kerb + Height of railing = $1.4 + 0.2 + 0.3 + 1.0 = 2.9 \text{ m}$

Exposed area contributing wind pressure per pier

$$= \text{span} \times \text{height} = 20 \times 2.9 = 58 \text{ m}^2$$

Assuming average height of about 9 m the wind pressure from table is 88 kg/m^2

$$1. \text{ Wind force on exposed surface} = \frac{58 \times 88}{1000} \quad t = 5.104 \text{ t}$$

Wind load on class A live load (article 1.9) = Length of train x 300 kg/m

$$= 20.4 \times \frac{300}{1000} = 6.12 \text{ t}$$

$$\text{Total wind force} = 5.14 + 6.12 = 11.22 \text{ t}$$

2. The design wind load should not be less than 450 kg/m of the loaded structure. Hence mini design wind force

$$= 20 \times \frac{450}{1000} = 9 \text{ t}$$

3. The wind force load for design purpose should not be less than 240kg/m² for the unbalanced structure. The design wind load from this consideration is

$$= 58 \times \frac{240}{1000} = 13.92 \text{ t}$$

condition (3) above gives maximum wind force. Hence this be considered in design.

Assume this to act at mid height i.e. $2.9/2 = 1.45$ m from the top of the pier.

$$\text{Moment at base about y axis } M_w = 13.92 \times 9.45 = 131.544 \text{ t m}$$

Maximum stress at the base at end of straight portion.

$$\sigma_{w1} = \frac{M_w}{I_v} \times 3.6 = \pm \frac{131.544 \times 3.7}{202.5} = \pm 2.4$$

Maximum stress at the edge of pier (point C)

$$= \frac{M_w \times 5.0}{I_v} = \frac{131.544 \times 5.1}{202.05} = \pm 3.32 \text{ t/cm}^2$$

Stresses due to water current :

Using equation 9.1, the water pressure P is given by ,

$$\text{Area of wetted surface} = 7 \times \frac{(2.125 + 3)}{2} = 17.93 \text{ m}^2$$

$$\text{Water pressure} = \frac{1.5 \times 1 \times 17.93 \times 3}{2 \times 9.81} = 12.34 \text{ t}$$

$$P = 12.34 \text{ t}$$

This force is assumed to act at 2/3 height.

$$\text{Moment at base } M_w = P \times \{2/3\} \times 7 = 12.34 \times \{14/3\} = 57.59 \text{ m}$$

Stress at base at edge of straight portion

$$= \frac{M_w}{I_v} \times 3.6 = \frac{57.59 \times 3.7}{202.05} = \pm 1.05 \text{ t/m}^2$$

Stress at the base at the end of the power

$$= \frac{M_w \times 5.0}{I_v} = \frac{57.59 \times 5 \times 5.1}{202.5} = \pm 1.453$$

Total stresses

Under dry conditions :

Total stress : D.L + L.L (eccentric + longitudinal force+ frictional resistance) + wind load

1. At end of straight portion (point A or E) maximum
 $= 20.97 + 5.244 + 7.604 + 13.69 + 2.4 + 3.32 = 53.228 \text{ t/m}^2$
2. At end of straight portion (point A or C) minimum
 $= 20.97 - 0.0170 - 7.604 - 13.69 - 2.4 - 3.32 = -6.061 \text{ t/m}^2$
3. At end of pier = $20.97 + 3.32 = 24.29 \text{ t/m}^2$
4. At end of pier (F or C) minimum = $20.97 - 3.32 = 17.65 \text{ t/m}^2$

Under wet conditions

1. Total stress = D.L+ Buoyancy + L.L+ W.L + water currents
 $= 20.97 + 5.80 + 5.244 + 7.604 + 13.69 + 2.4 + 3.32 = 53.228$
2. At end of straight portion (point A or E) minimum
 $= 20.97 - 5.8 - 0.0170 - 7.604 - 13.69 - 2.4 - 3.32 = -11.861 \text{ t/m}^2$
3. At end of pier (F or C) max= $20.97 - 5.8 + 3.32 + 1.453 = 19.943 \text{ t/m}^2$
4. At end of pier (F or C) mini= $20.97 - 5.8 - 3.32 - 1.453 = 10.397 \text{ t/m}^2$

Allowable compressive stress in 1:3:6 concrete is 200 t/m^2 in compression and 25 t/m^2 in tension. The stress in pier are within these permissible limits.

DESIGN OF ABUTMENT

ASSUME:

The angle of internal friction of the retained material is 30 degrees. The angle of friction between soil and masonry is 20 degrees. An approach reinforced concrete slab is provided to the bridge so that the effect of surcharge may be neglected. Height of the abutment below road level is 5.0 metres. The passive earth pressure in front of the abutment is to be neglected. Density of masonry = 2 t/m^2 and density of soil = 1.8 t/m^3

Solution : Distance between outside of outermost girders

$$= 5.0 + 0.30 = 5.3$$

Clear width of road way = 7.0 m

Provide abutment length of 3.0 metres. Provide bed block of 0.30m depth and top width of 0.75 m. provide 0.60m top width for the abutment as shown in fig A1.

Depth of girder and slab = 1.6 m. provide a height of 1.8 m above the bed block as shown in fig A1.

Let x be the projection of abutment of the front. The projection x will be determined from the condition that no tension develops at the base.

1. Dead load from the superstructure. Total dead load

$$= 58 \times \frac{198.112}{2} = 99.356 \text{ t}$$

Load per metre length of abutment

$$= \frac{99.356}{8} = 12.419 \text{ t}$$

Live load from superstructure :

Maximum live load reaction is caused by class AA loading

The position of live load for maximum reaction is shown .

$$\text{Maximum reaction} = 70 \times \frac{[20 - \{3.6/2\}]}{20} \times \frac{70 \times 14.2}{16} = 63.7$$

$$\text{Maximum reaction including impact} = 1.1 \times 63.7 = 70.07$$

$$\text{Live load per metre length of abutment} = 70.07/8 = 8.758$$

$$\begin{aligned} \text{Total reaction from superstructure per metre length of abutment} \\ = 12.49 + 8.758 = 21.177 \end{aligned}$$

2. Self - weight of the abutment. Self weight of the abutment is divided in five segments is shown in fig A1.

$$\text{Segment 1} = 0.3 \times 0.85 \times 2.4 = 0.612$$

$$\text{Segment 2} = 1/2 \times 2.9 \times 2.0 = 2.9$$

$$\text{Segment 3} = 0.75 \times 2.9 \times 2.0 = 4.35$$

$$\text{Segment 4} = 0.6 \times 5.0 \times 2.0 = 6.00$$

$$\text{Segment 5} = 1/2 \times 0.75 \times 5.0 \times 2.0 = 3.75 \text{ t}$$

3. Longitudinal forces

$$\text{Force due to tractive effort} = 14 \text{ t}$$

$$\text{Force per metre length} = 14/8 = 1.75 \text{ t}$$

$$\begin{aligned} \text{Force due to temperature charges} &= 0.15 \times \text{load from superstructure} \\ &= 0.15 \times 21.177 = 3.176 \text{ t} \end{aligned}$$

$$\text{Total longitudinal force} = 1.75 + 3.176 = 4.926 \text{ t}$$

This force acts at level of bearings.

4. Earth pressure Earth pressure is computed from coulomb's formula

$$\tan \theta = \frac{0.75}{5} * 0.15$$

$$\theta = 8.53^{\circ}, \quad \alpha = 0,$$

$$\text{Total active earth pressure} = \frac{1}{2} \times 1.8 \times 5 \times 5 \times k_4 \cos \theta$$

$$= 22.5 k_A \cos \theta$$

$$k_A = \frac{\cos^2 (\phi - \theta)}{\cos^2 \theta (\cos \delta + \theta) \sqrt{\frac{1 + \sin (\delta + \phi) \sin \phi}{\cos (\delta + \phi) \cos \phi}}}$$

$$= 0.3755$$

$$\text{Total active pressure} = 22.5 \times 0.3753 \times 0.9889 = 8.355$$

Horizontal component of earth pressure

$$= 8.355 \cos (\delta + \theta) = 8.355 \times \cos 28.53$$

$$= 8.355 \times 0.8786 = 7.340$$

$$\text{Vertical component of earth pressure} = 8.355 \times \sin 28.53 = 3.990$$

The earth pressure is assumed to act at $0.42 h = 0.42 \times 5 = 2.1$ m from the base. The forces acting on the abutment are shown in fig.

The value of x is determined from the condition that no tension develops at base the resultant of all forces must pass through middle third.

Total vertical force :

$$V = 3.99 + 3.75 + 6.0 + 4.35 + 0.612 + 18.59 + 2.9 x = 37.292 + 2.9 x$$

Moments of all forces about A must be zero.

$$= 7.34 \times 2.1 + 3.99 \times 0.315 \times 0.5 - 6.0 \times 105 + 4.35 \times 1.725$$

$$+ 21.18 \times 1.725 + 0.612 \times 1.775 + 4.539 \times 3.2 + 2.9x$$

$$- 2x$$

$$= 21.179 + \frac{-2x}{3} - (37.292 + 2.9x) \frac{2}{3} (2.1 + x) = 0$$

$$= x^2 + 23.6201x - 28.7812 = 0$$

Solution of above equation gives $x = 1.3614$

Maximum pressure at best

$$\begin{aligned} &= 2 \times \frac{\text{Total vertical force}}{\text{Area}} \\ &= \frac{2 \times (3.99 + 3.75 + 6.0 + 4.35 + 0.612 + 18.59 + 2.9 \times 1.1614)}{2.1 \times 1.1614} \end{aligned}$$

= 25 t/m². This is within permissible limits.

Provide overall base width of

$$= 2.1 + 1.3614 = 3.46 \text{ m say } 3.50 \text{ metres}$$

PLAN OF PIER AT TOP AND BOTTOM.

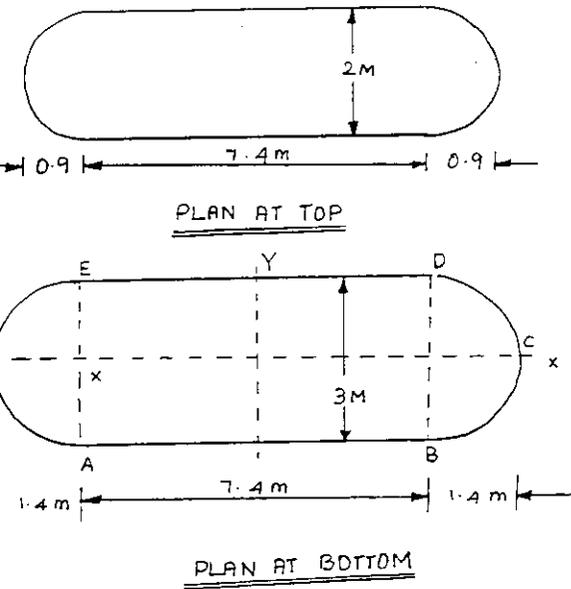


FIG. 9.8

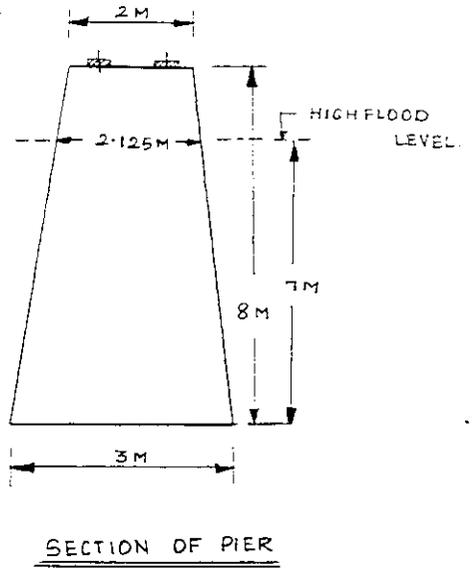
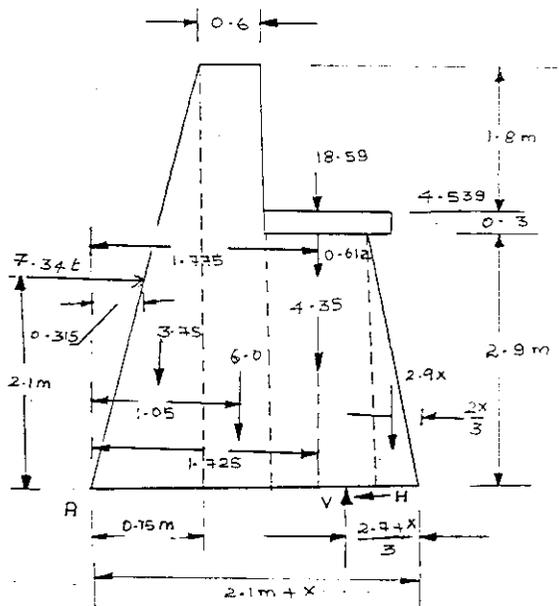
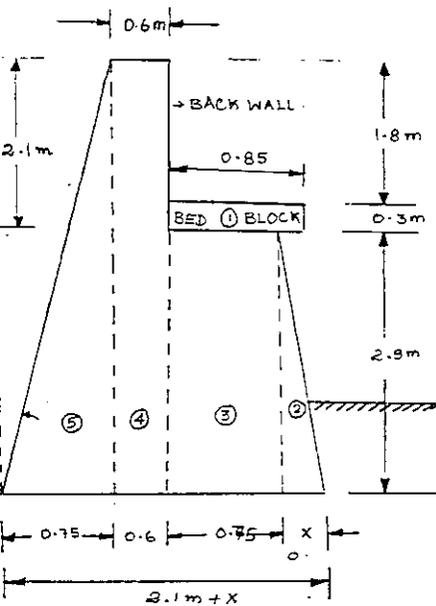


FIG.P2.



Quality Control Tests

4. QUALITY CONTROL TESTS

4.1 SIEVE ANALYSIS REPORT

LOCATION : MADUKKARAI

TOTAL WEIGHT OF SAMPLE TAKEN FOR TESTING = 1000gm

SIEVE ANALYSIS

An oven dried sample of soil is separated into two fractions by sieving it through a 4.75mm IS sieve, the portion passing through it is subjected to fine sieve analysis. The following set of sieves are used for fine sieve analysis : 4.75,2.35,1.18,.6,.3,0.15,0.075mm IS sieves.

Sieving is performed by arranging the various sieves one over the other in the order of their mesh openings- the largest aperture sieve being kept at the top and the smallest is at the bottom. A receiver is kept at the bottom and a cover is kept at the top of the whole assembly. The soil sample is put on the top sieve, and the whole assembly is fitted on a sieve shaking machine. The amount of shaking depend upon the shape and number of particles. Atlas 10 min of shaking is desirable for soils with small particles. The portion of the soil sample retain on each sieve is weighed. The percentage of soil retained on each sieve is calculated on the basis of the total mass of soil sample taken and from these results, percentage passing through each sieve is calculated. Table shows the specimen observation and calculation sheet.

TABLE NO.: 4.1.1

Sieve Size	weight of mat Retained	%of mat retained	cum % of mat retained	% of passing
4.75	1	0.1	0.1	99.0
2.36	10	1.0	1.1	98.9
1.18	32	3.2	4.2	95.7
0.600	67	6.7	11.0	89.0
0.300	181	18.1	29.1	70.9
0.150	98	9.7	38.9	61.1
0.075	110	11.0	49.9	50.1

GRAVEL : 0.1 %

SAND : 49.8 %

SILT & CLAY : 50.1 %

RESULTS: For the sub-grade and embankment layer soil ,the % of passing of 4.75mm particle size soil should be more than 95 %, this can tested and results are shown in the above table.

4.2 PROCTOR DENSITY TEST

LOCATION : Palathurai.
CHAINAGE AT : 2.80Km.

The object of this experiment is to determine the relationship between water content and dry density of soil using standard proctor test and then to determine the optimum water content and the corresponding maximum dry density for the soil.

PROCEDURE:

About 3Kg of air dried and pulverized soil, passing a 4.75mm sieve, is mixed thoroughly with the small quantity of water. The mixture is covered with wet cloth and left for a maturing time of about 5 to 30 minutes to permit proper absorption of water. The empty mould attached to the base plate is weighed without collar. The collar is then attached to the mould. The mixed and mature soil is placed in the mould and compacted by giving 25 blows of the rammer uniformly distributed over the surface, such that the compacted height of soil is about 1/3 the height of the mould. Before putting the second layer of soil, the top of first compacted layer is scratched with the help of any sharp edge. The second and third layers are similarly compacted, each layer being given 25 blows. The last compact layer should project not more than 6mm into the collar. The collar is removed and the excess soil is trimmed off to make it level with the top of mould. The weight of mould, base plate and the compacted soil is taken. A representative sample is taken from the center of compacted specimen and kept for water content determination. The values are tabulated below:

TABLE NO.: 4.2.1

DENSITY DETERMINATION

SL	DESCRIPTION	I	II	III	IV	V
1	Empty weight of mould (A)			4148		
2.	Volume of the mould (B)			1000		
3.	Weight of mould Compacted Soil (C)	6094	6269	6394	6411	6279
4.	Weight of soil (D)=(C) - (A)	1946	2121	2346	2263	2131
5.	Wet density (D/B)	1.946	2.121	2.241	2.263	2.131

MOISTURE CONTENT DETERMINATION

SL	DESCRIPTION	I	II	III	IV	V
1	Wet soil +container(A)	66.95	54.82	65.31	73.49	81.68
2.	Dry soil + container(B)	65.41	53.16	61.43	68.95	75.69
3.	Weight of water (C = A-B)	1.54	1.66	3.88	4.54	5.99
4.	With of the container (D)	28.93	28.11	28.16	28.75	30.34
5.	Moisture content (%) MC= C/(B-D)	4.2	6.6	11.7	11.3	13...2
6	Dry density DD=WD/(1+(MC/100)).	1.867	1.989	2.01	2.033	1.882

Maximum Dry Density: 2.04 g/cc

Optimum moisture Content: 11.3%

RESULTS: From IRC specifications the requirement of maximum dry density for sub-grade and embankment layer soil should not be less than 1.75 g/cc and 1.6 g/cc, from the above tests satisfies the requirement.



4.3 CALIFORINA BEARING RATIO TEST

LOCATION : MADUKKARAI

This test is used for evaluating the stability of soil sub grade and other flexible pavement materials. This penetration test consist of causing a cylindrical plunger of 50mm diameter to penetrate a pavement component material at 1.25mm/min. The load values to cause 2.5mm and 5mm penetration are recorded. These loads are expressed as percentages of standard load values at respective deformation levels to obtain CBR value. The standard load values obtained from the average of a large number of test on crushed stones are 1370 and 2055Kg respectively at 2.5 and 5mm penetration. the CBR value is calculated using the relation:

$$\text{CBR}(\%) = \frac{\text{(load sustained by the specimen at 2.5 or 5mm penetration)}}{\text{(load sustained by standard aggregates at the corresponding penetration level)}} \times 100$$

TABLE NO.: 4.3.1

PENETRATION (mm)	LOAD (KGF)	CORRECTED LOAD (KGF)	STANDARD LOAD (KGF)
0.00	0		
0.50	62		
1.00	147		
1.50	238		
2.00	308		
2.50	385	405	1370
4.00	574		
5.00	672	685	2055
7.50	777		

CBR of specimen at 2.5 mm penetration : 29.6%
5.0 mm penetration : 30.9%

CBR VALUE : 30.9%

RESULTS: For GSB layer CBR value should be minimum 30 % and for the sub-grade layer it should be more than 10 %, tests conducted and found that it is safe.

4.4 PLASTICITY INDEX TEST

LOCATION : DOCTOR QUARRY

The object of this test is to determine the liquid limit and plastic limit of the soil sample

Liquid limit is defined as the minimum water content at which the soil is still in the liquid state, but has a small shearing strength against flowing. Plastic limit is defined as the minimum water content at which the soil begin to crumble when rolled into thread approximately 3mm in diameter. Plasticity index is the difference between liquid limit and plastic limit. - It is expressed in terms of percentage.

TABLE NO.: 4.4.1

LIQUID LIMIT %

Trial no	1	2	3	4	WP	%
No of drops	34	29	23	19		
Weight of container + Soil.gm	54.56	55.6	53.21	51.63	32.9	35.66
Wt.of container + Dry soil .gm	48.99	50.27	47.91	46.31	32.18	34.98
Wt.of water.gm	5.57	5.33	5.3	5.32	0.72	0.68
Wt.of container gm	27.78	30.74	29.28	28.05	28.11	31.06
Wt.of dry soil gm	21.21	19.53	18.63	18.36	4.07	3.92
Moisture content %	26.3	19.53	18.63	18.26	17.7	17.3

LIQUID LIMIT WL % : 27.805

PLASTIC LIMIT WP % : 17.5

PLASTICITY INDEX IP % : $WL - WP = 10.5$ %

OTHER TESTS:

For the WMM, GSP, DBM and asphalitic concrete layers, the following material tests are conducted and the results are compared with IRC specifications.

No. 1 Test for Macadam base – Aggregate impact value-maximum 30%.

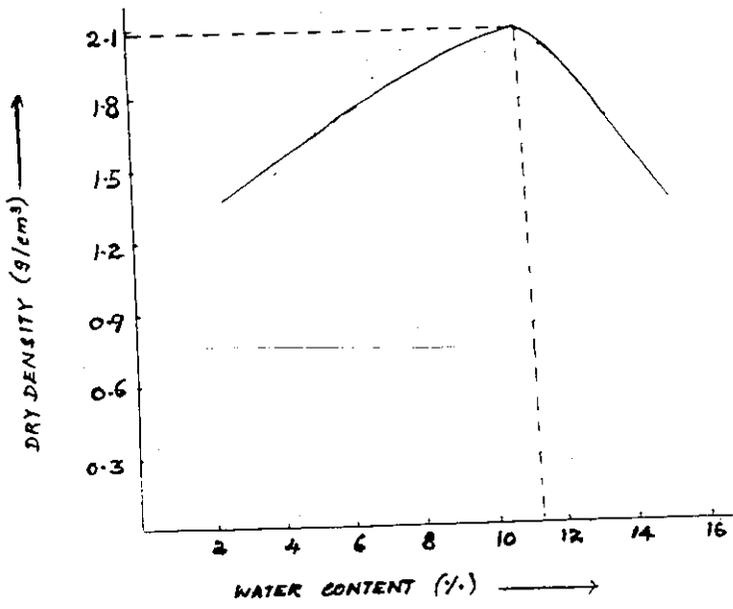
- L.A Abrasion value – max 40%.

No. 2 Test for bitumen

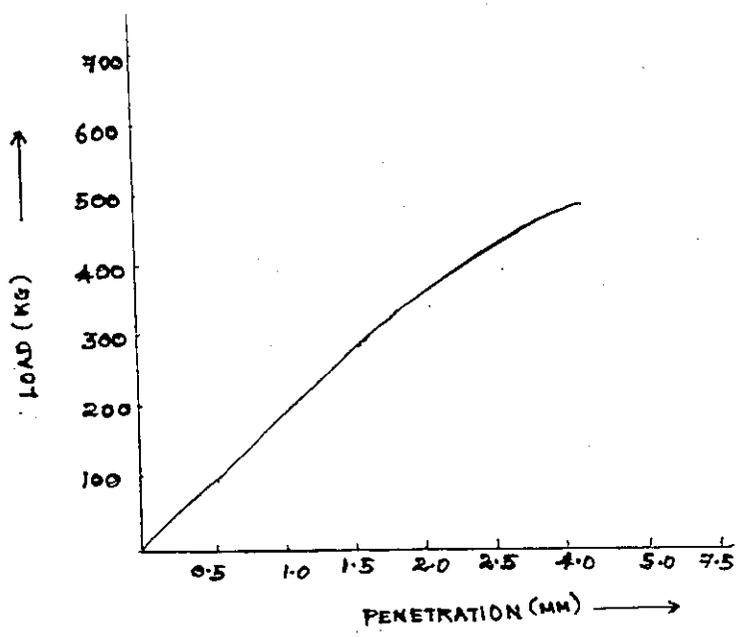
- Penetration at 25 deg. C – 25 to 40.

- Softening point (Ring and Ball method)-50 deg C to 90 deg C

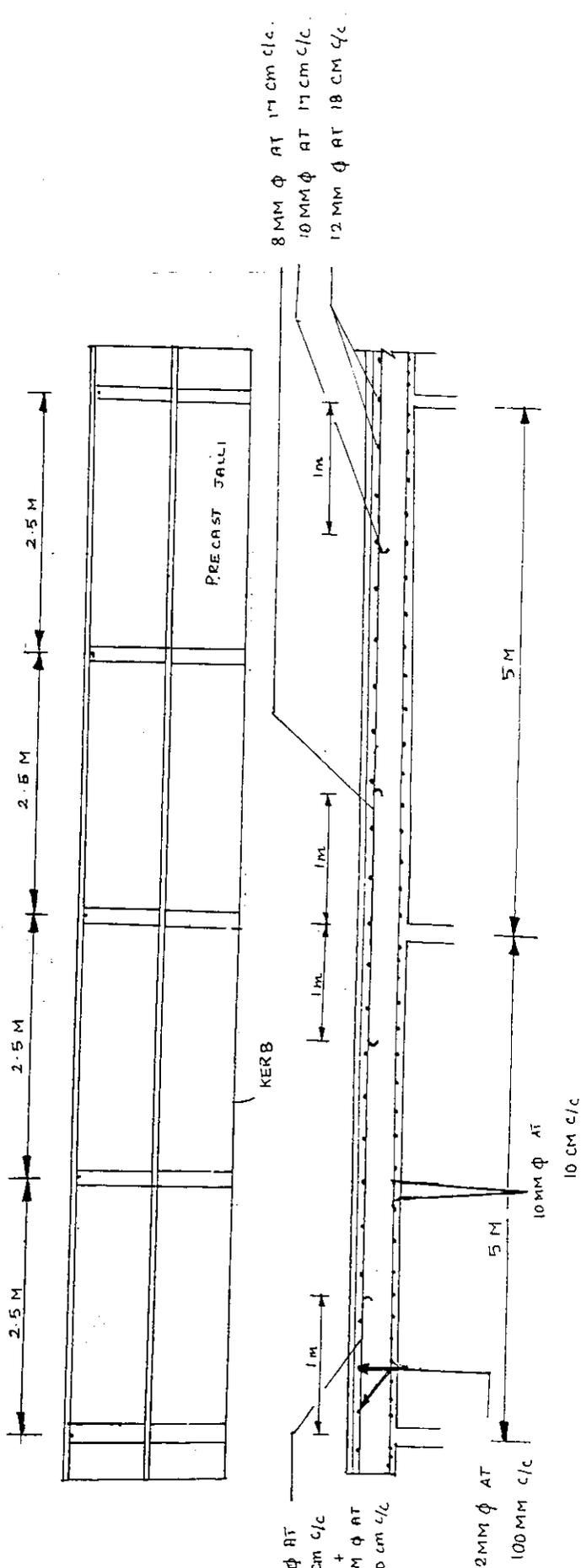
PROCTOR DENSITY TEST



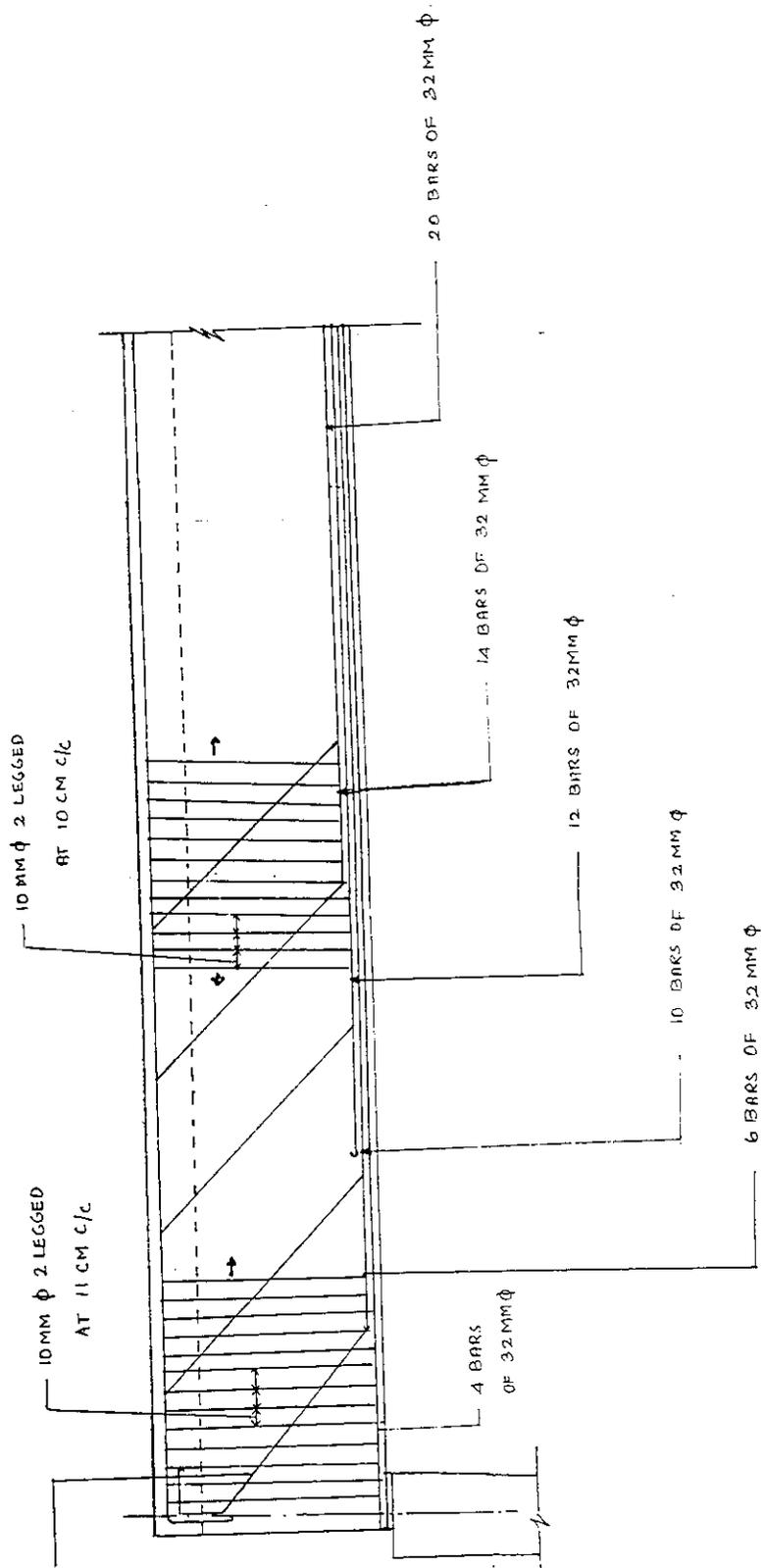
CBR TEST



Drawings



LONGITUDINAL SECTION OF DECK SLAB.



LONGITUDINAL SECTION OF OUTER GIRDER.

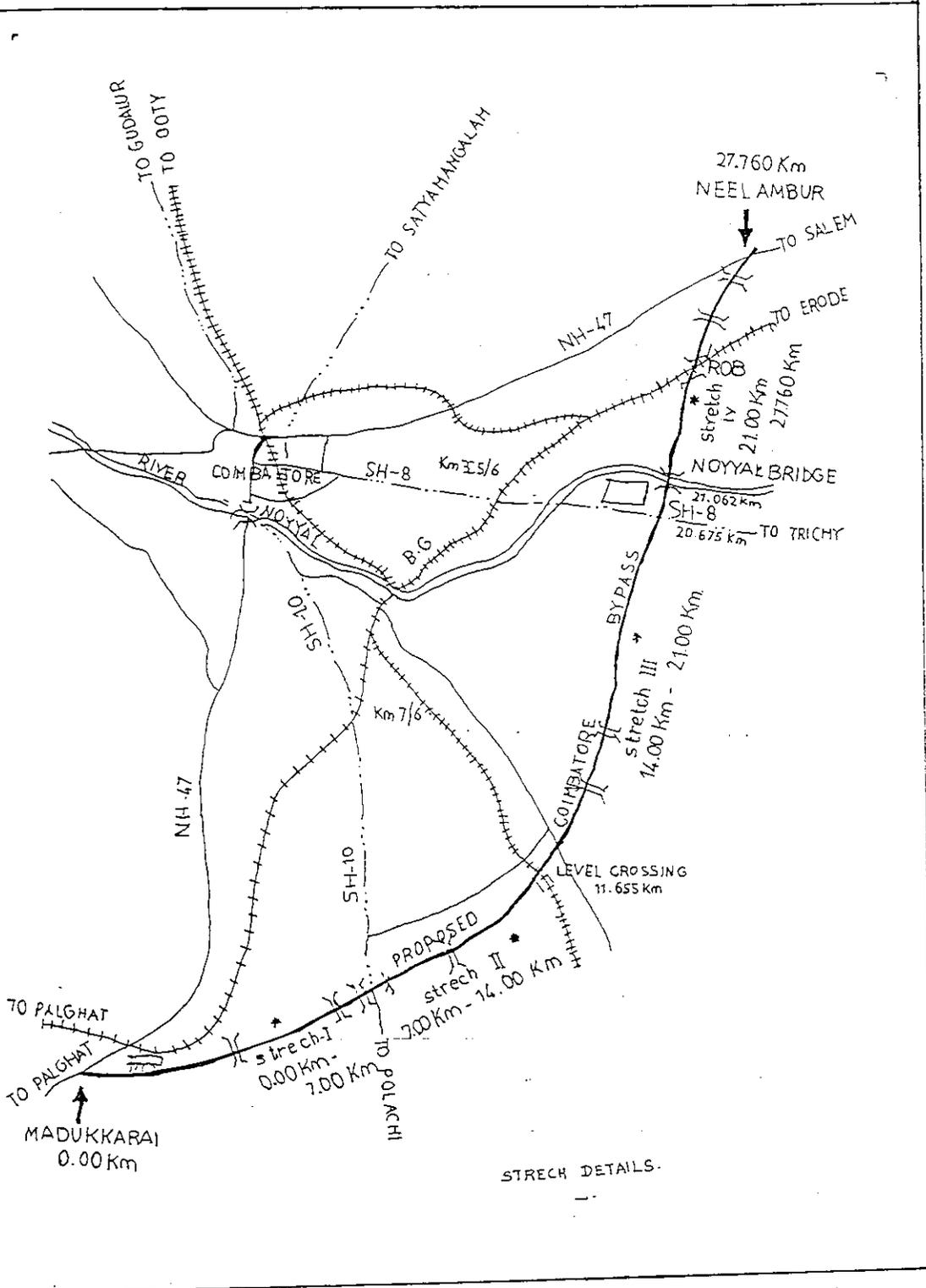


Fig No: 1:20

DRY LAND

WASTE LAND

WASTE LAND

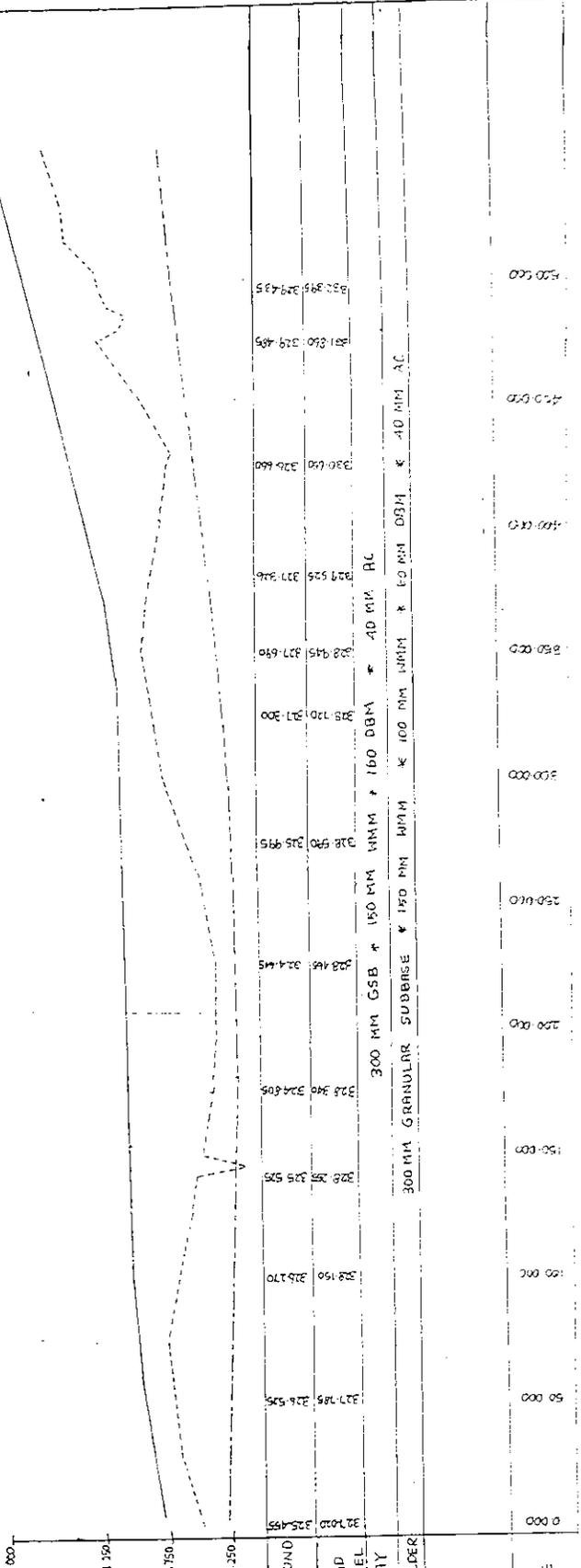
DRY LAND

W.R.L.

SALEM

MATCH LINE
KM 2.500

MATCH LINE
KM 2.000



40 MM RC

100 MM DBM

150 MM WMM

300 MM GSB

300 MM GRANULAR SUBBASE

40 MM AC

100 MM DBM

150 MM WMM

300 MM GSB

40 MM AC

100 MM DBM

150 MM WMM

300 MM GSB

40 MM AC

100 MM DBM

150 MM WMM

300 MM GSB

40 MM AC

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300 MM GSB

40 MM AC

100 MM DBM

150 MM WMM

300 MM GSB

40 MM AC

100 MM DBM

150 MM WMM

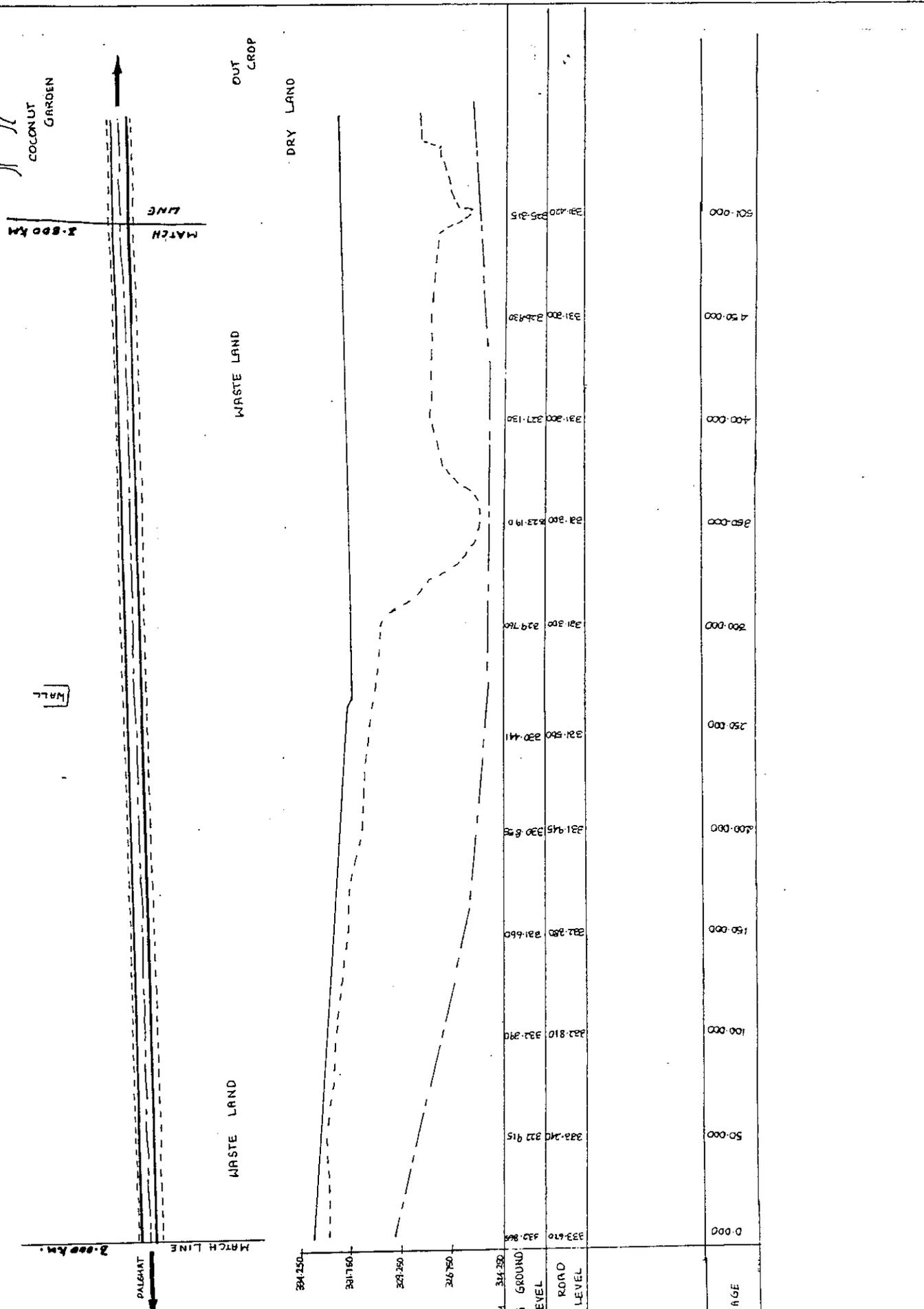
300 MM GSB

40 MM AC

100 MM DBM

150 MM WMM

300 MM GSB



COCONUT GARDEN

MATCH LINE
2.500 KM

WALL

OUT CROP

WASTE LAND

WASTE LAND

DRY LAND

MATCH LINE
2.000 KM
DALGHAT

34.250

34.150

34.050

34.000

34.350

GROUND LEVEL

33.670 33.865

332.240 332.915

332.810 332.290

332.280 331.650

331.945 330.675

331.560 330.411

331.300 329.760

331.300 323.190

331.300 327.130

331.300 326.930

331.400 325.315

AGE

0.000

50.000

100.000

150.000

200.000

250.000

300.000

350.000

400.000

450.000

500.000

ROAD LEVEL

Recommendation

6. RECOMMENDATIONS

We are proud to recommend that this project will be useful for the road user in various aspects as below:

- This Bypass connects 3 major highway hence developments such as residential and commercial will take place along this road project.
- Adoption of locally available materials will give saving in unit cost of road construction in future.
- Since this route is short and hence the travel time is reduced for the road users.
- From the soil data collected, it has been found that this soil is suitable for the future road construction works.

Conclusion

7. CONCLUSION

By diverting the through traffic, the traffic congestion inside the city is very much reduced and gives a clean environment and this project is also economically viable.

In this project a well planned layout with all necessary facilities are prepared. This will facilitate the functioning of the bypass road in a proper manner and hence accidents will be reduced inside the city.

This project is not only for diverting the through traffic but also for the development of the Coimbatore city in a radial pattern.

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